

A PROBABILISTIC METHOD FOR COMPREHENSIVE VOLTAGE SAG MANAGEMENT IN POWER DISTRIBUTION SYSTEMS

Pasi Pohjanheimo



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ABSTRACT OF DOCTORAL THESIS

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| Abstract: | <p>Voltage sags, their technical and economic impact and the means of their mitigation have become popular topics for discussion, publication and R&D projects within the power engineering society. However, a tool including and combining analysis of all these fields in a simple yet mathematically exact way has not been proposed.</p> <p>This thesis outlines a probabilistic method for comprehensive voltage sag management named Prob-A-Sag. All quantities are processed as probabilistic two-dimensional arrays. Multiplying the arrays cell by cell gives the total annual sag related cost. Further, the optimal type and rating of a mitigation device can be assessed.</p> <p>Remaining voltage and sag duration are the variables considered in the arrays. Array resolution and thus the procedure accuracy are freely selectable. Increasing the number of dimensions allows for additional sag features, e.g. unbalance and phase-angle jump could be included in a future enhancement of the method.</p> <p>A probabilistic approach, one of the key features of the method, is essential when assessing the performance of multiple similar sag sensitive components connected together. It also proved useful in cases where specific device sensitivity tests cannot be carried out but instead, generalised data from previously prepared libraries has to be used to assess the entire process sensitivity.</p> <p>In addition to this method, the thesis provides sag sensitivity test results for contactors, personal computers and gas discharge lamps. Discussion and calculations on the feasibility and network requirements of custom power technology are also included.</p> | | |
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PREFACE

The research work related to this thesis has been carried out in the Power Systems Laboratory of Helsinki University of Technology during the years 1999-2003 as a natural continuum from the master's thesis by the author. In addition to the university, the TESLA technology programme by TEKES, the Power systems research pool coordinated by Finergy, the Graduate School in Electrical Engineering and the Sähköinsinööriiliiton säätiö have provided the financial basis for the project.

Professor Erkki Lakervi supervised the beginning of the work. Professor Matti Lehtonen took over from him after two years. Them both I want to warmly thank for providing excellent facilities for testing and measurements as well as sharing their time, expertise and guidance. Moreover, to Professor Lehtonen I would like to express my deepest gratitude for his patience and gentle pressure to accomplish the thesis.

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Pirjo Heine - who has been sharing not only the office with me but, without being given a chance to refuse, also the pain often present in a creative process like this - absolutely deserves to be acknowledged here by name. The room arrangement has also enabled fruitful and productive academic discussion across the screen separating our desks.

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A significant number of people, way too many to be mentioned here by name, have contributed, co-operated and supported my journey towards something I never thought would be possible to attain. Without you that could have well been the case. Thank you all so much.

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In Espoo, September 29th, 2003 a.D.



Elimu ni maisha, si vitabu.

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LIST OF SYMBOLS AND ABBREVIATIONS

| | |
|------------|---|
| \forall | for all |
| \ni | such that |
| A | ampere |
| AC, ac | alternating current |
| c | cycle |
| C | total annual sag related cost |
| CBEMA | Computer and Business Equipment Manufacturers Association |
| CP | custom power (technology) |
| D(i,j) | device sensitivity array |
| DC, dc | direct current |
| DKK | Danish Crown |
| $D_n(i,j)$ | device sensitivity array of device n |
| Dr. | doctor |
| DSP | digital signal processing |
| dt | differential operator in relation to time |
| du | differential operator in relation to voltage |
| DVR | dynamic voltage restorer |
| € | euro |
| E | energy |
| E(i,j) | event cost array |
| E_{inj} | injected energy |
| EMC | electromagnetic compatibility |

| | |
|----------------|---|
| Hg | mercury (lamp) |
| HPS | high-pressure sodium (lamp) |
| HV | high voltage |
| Hz | hertz |
| $I(i,j)$ | annual interruption frequency array |
| $I(u), I(u,t)$ | risk of sag related interruption |
| IC | integrated circuit |
| IEC | The International Electrotechnical Commission |
| IEEE | The Institute of Electrical and Electronics Engineers |
| I_l | load current |
| I_l^* | complex conjugate of load current I_l |
| ITI | Information Technology Industry Council |
| j | imaginary unit |
| k | integer |
| kA | kiloampere |
| k€ | thousand euros |
| keV | kiloelectronvolt |
| kJ | kilojoule |
| km | kilometre |
| kV | kilovolt |
| kVA | kilovoltampere |
| kVA_r | reactive kilovoltampere |
| kW | kilowatt |
| L1, L2, L3 | phases of a 3-phase ac power system |

| | |
|----------------|--|
| LV | low voltage |
| m | integer |
| max | maximum |
| med | median |
| MeV | megaelectronvolt |
| MH | metal halide (lamp) |
| min | minimum |
| ms | millisecond |
| MV | medium voltage |
| MVA | megavoltampere |
| N | total annual number of sag related interruptions |
| n | integer |
| P | active power |
| p | probability |
| $P(i,j)$ | process sensitivity array |
| $P(u), P(u,t)$ | process sensitivity |
| PC | personal computer |
| PCC | point of common coupling |
| P_{inj} | injected active power |
| P_l | active power drawn by the load |
| PLC | programmable logic controller |
| PQ | power quality |
| P_s | active power drawn from the sagged supply |
| p.u. | per unit |
| Q | reactive power |

| | |
|----------------|---|
| q | integer |
| Q_{inj} | injected reactive power |
| Q_l | reactive power drawn by the load |
| Q_s | reactive power drawn from the sagged supply |
| r | integer |
| $R(i,j)$ | restored annual sag frequency array |
| RMS, rms | root mean square |
| s | second |
| $S(i,j)$ | annual sag frequency array |
| $S(u), S(u,t)$ | annual frequency of voltage sags |
| SF_6 | sulphur hexafluoride |
| SFS-EN | Finnish Standards Association – European Norm |
| S_{inj} | injected apparent power |
| S_l | load apparent power |
| SMES | superconducting magnetic energy storage |
| SSTS | solid-state transfer switch |
| t | time |
| t_{crit} | critical duration of a voltage sag |
| t_j^- | lower limit of time category j |
| t_j^+ | upper limit of time category j |
| U, u | voltage |
| U_{BUS} | busbar voltage |
| U_{crit} | critical remaining voltage during voltage sag |
| U_i^- | lower limit of voltage category i |
| U_i^+ | upper limit of voltage category i |

| | |
|---------------|---|
| U_{inj} | injected voltage |
| $U_{inj,max}$ | maximum voltage injected by a mitigation device |
| U_l | load voltage |
| U_{LOAD} | load voltage |
| U_n | nominal voltage |
| U_{PCC} | voltage at PCC |
| UPS | uninterruptible power supply |
| U_s | rated supply voltage (of contactors) |
| U_s | sagged supply voltage |
| U_{SOURCE} | source voltage |
| V | volt |
| VSD | variable speed drive |
| W | watt |
| Z_F | fault impedance |
| Z_H | HV line impedance |
| Z_L | line impedance |
| Z_M | MV line impedance |
| Z_S | source impedance |
| Z_T | transformer impedance |

1 INTRODUCTION

The significance of voltage sags among power quality related phenomena seems to be increasing rapidly. Their impact as randomly timed and randomly shaped events makes them a special challenge for power distribution engineering. From an economic point of view, sags are definitely a problem worth studying and, in most cases, are also worth being solved. Economic losses due to sags are especially high for industrial customers. In many countries the phenomenon and its consequences have only recently been noticed.

However, there are no proper tools for comprehensive voltage sag management, i.e. for assessing and mitigating the inconvenience due to sags as well as for finding the optimal solution for corrective measure(s).

The objective of this thesis is to develop a new probabilistic approach for voltage sag management in power distribution systems.

The major aim in developing the method is to provide the distribution system community – including planning, operation, software development and financial staff – with a practical, yet theoretically convincing tool for their everyday work.

This tool should comprehensively cover the technical and economic aspects related to voltage sags as well as be able to meet the future challenges set by the issue in a most flexible and adaptive way.

2 VOLTAGE SAGS IN A POWER DISTRIBUTION SYSTEM

Ideally, a power distribution system provides its customers with an uninterrupted flow of energy at unlimited power rating having smooth sinusoidal voltage at the contracted magnitude level and frequency.

In reality, a power system has numerous non-ideal features which significantly affect the quality of power. Voltage sags also originate from these anomalies. It is impossible to completely avoid sags but they are events that we can live with provided that the phenomenon is understood and taken into account.

2.1 Definition

This thesis considers voltage sags in power distribution systems. The European norm EN 50160 (2000-01-24) “Voltage characteristics of electricity supplied by public distribution systems” [1] applies to distribution systems in Europe. This norm also has the status of a Finnish national standard (SFS). In the publication, a voltage sag (or dip) is defined as a sudden reduction of supply voltage down to 90 %...1 % of nominal followed by a recovery after a short period of time. A typical duration of a sag is, according to the standard, 10 ms to 1 minute.

IEEE Std. 1159-1995, the IEEE recommended practice for monitoring electric power quality [2], gives somewhat similar values (magnitude 90 % to 10 %, duration 10 ms to 1 minute) as a definition of voltage sag.

The type of event considered in the thesis is sometimes called a voltage dip and on other occasions a voltage sag. Technically these two terms describe exactly the same phenomenon. Thus from this point on the expressions voltage sag and sag will be used to avoid confusion.

Another thing that needs to be defined is the magnitude or depth of a sag. Often the remaining voltage during a sag is used to describe its severity whereas some people prefer to speak of the missing voltage instead. Even though it is a subjective matter, the latter alternative is more complicated and has a higher risk of misinterpretation than the former one. In this thesis, the expression sag magnitude refers to the remaining supply voltage during a voltage sag. Further, deep sag refers to sags that have small a remaining voltage and shallow sag to ones with high remaining voltage.

2.2 Cause of voltage sags

Generally, voltage sags experienced by distribution system customers originate from the (HV) transmission and sub-transmission systems, or the (MV) distribution system itself. In the case of weak transmission systems it is also possible to get sags

from neighbouring MV distribution systems through the transmission network. Fig. 2.1 gives an example.

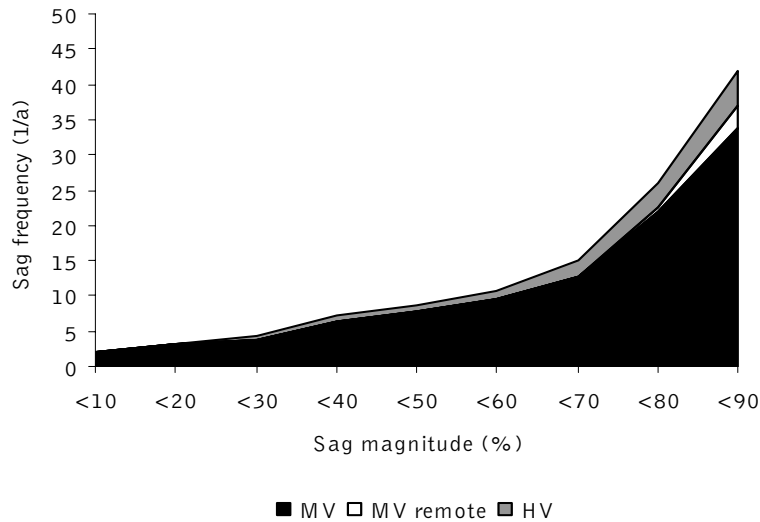


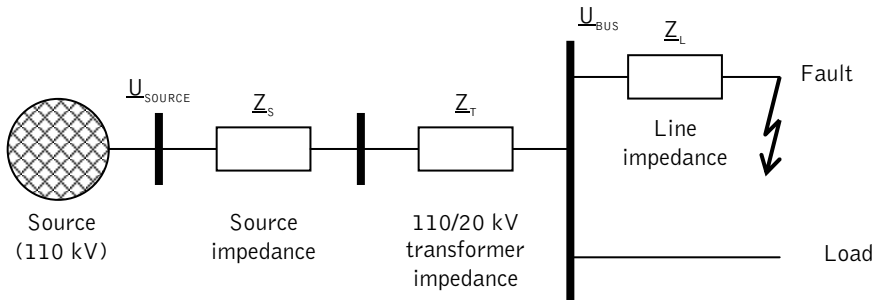
Fig. 2.1. Example of distribution of sags propagating from different power system levels [3].

The ratio of contributions from different voltage levels depends on the structure, protection coordination and stiffness of the various subsystems. Downstream from a strong HV transmission system most sags, especially the deep ones, originate from the MV network. Only a fraction of the sags experienced by a customer are of HV system origin, and most of them are typically shallow.

Disregarding the delivering subsystem(s), there is one prime reason for sags: high current flowing through some part(s) of the network. This current induces voltage drop over network impedances until it is cut off, usually by overcurrent protection. See Fig. 2.2.

Most severe sags originate from power system faults. A 3-phase short circuit close to a distribution substation is capable of bringing the main busbar voltage down and thus causing a deep sag to all customers supplied by that particular substation. Most of the sags due to power system faults are shallower, though. Fig. 2.3 shows an example.

Faults typically originate from climatic phenomena (lightning, wind, snow), wildlife (birds, squirrels, beavers, etc.) and component failures. In addition to faults, significant changes in power flow may cause momentary voltage drops. Starting a large, directly fed motor, energizing a transformer or transferring loads from one supply to another, e.g. during backup supply arrangements, are the most likely examples of such events.



$$U_{BUS} = U_{SOURCE} \cdot \frac{Z_L}{(Z_S + Z_T + Z_L)}$$

Fig. 2.2. Example of a voltage sag due to fault current. Load voltage equals U_{BUS} .

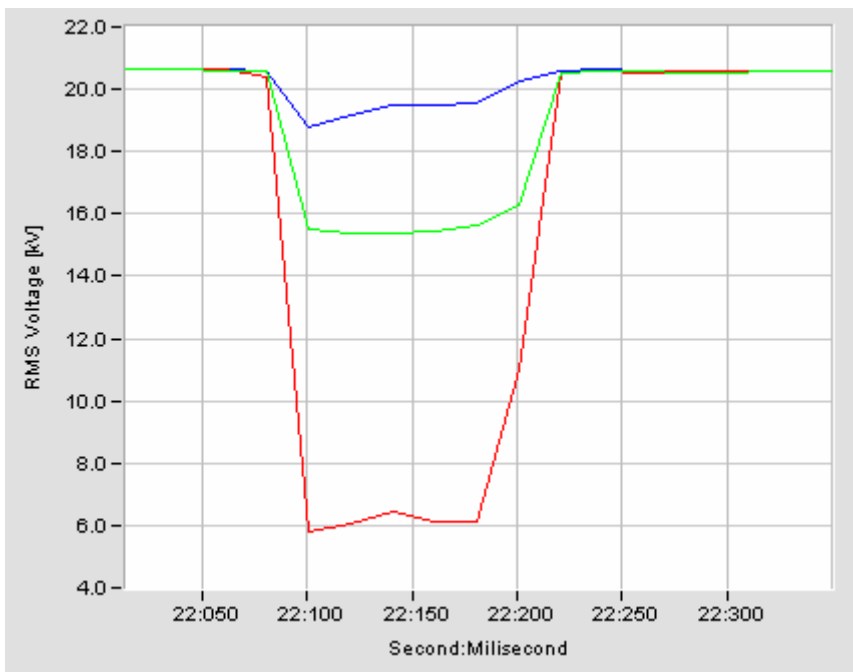


Fig 2.3. Voltage sag caused by an unsymmetrical power system fault. RMS recording shows 20 kV phase-to-phase voltages.

Figure 2.4 shows a voltage sag caused by two of the above reasons. The load consists of a 20/6 kV transformer, a 6 kV, 400 kVA capacitor bank and a 6 kV, 1,6 MVA induction motor, all connected simultaneously. Total duration of the event is approximately 3 seconds. The very beginning of this sag is dominated by a switching transient due to reactances in the transformer and capacitor bank. The

starting characteristics of the heavily loaded motor are seen thereafter. Fig. 2.5 gives another example.

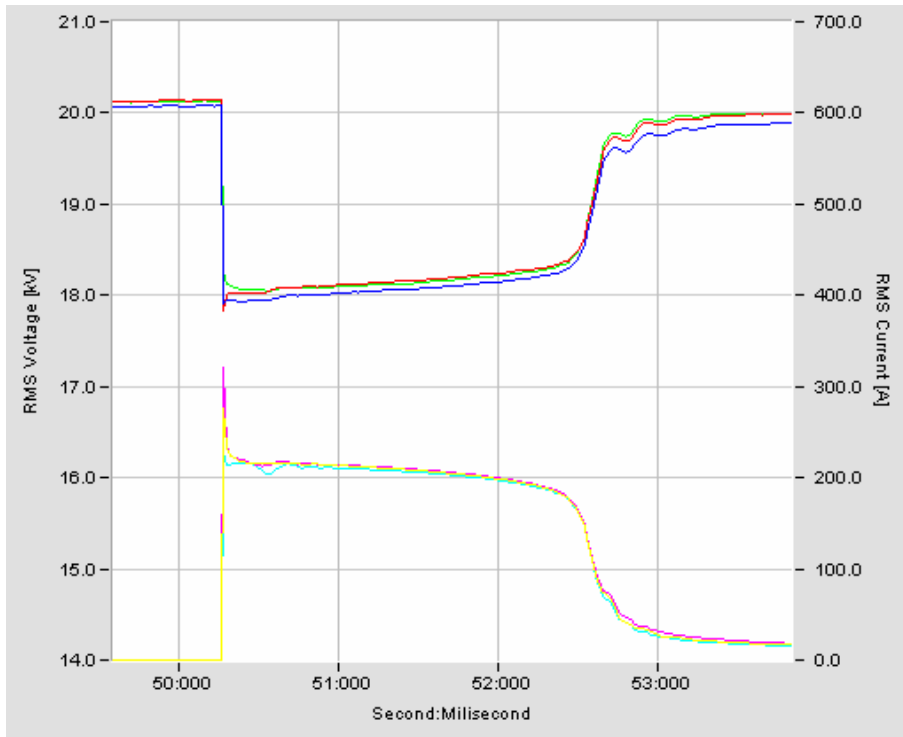


Fig 2.4. Voltage sag due to load switching. RMS recording shows 20 kV phase-to-phase voltages and the current in each phase.

Rapid load changes and the sags they induce are an accepted phenomenon and belong to the normal operation of a power system. For this reason only shallow sags are allowed without mitigation, hence load variations cause problems only for the most sensitive equipment or in extremely weak power systems.

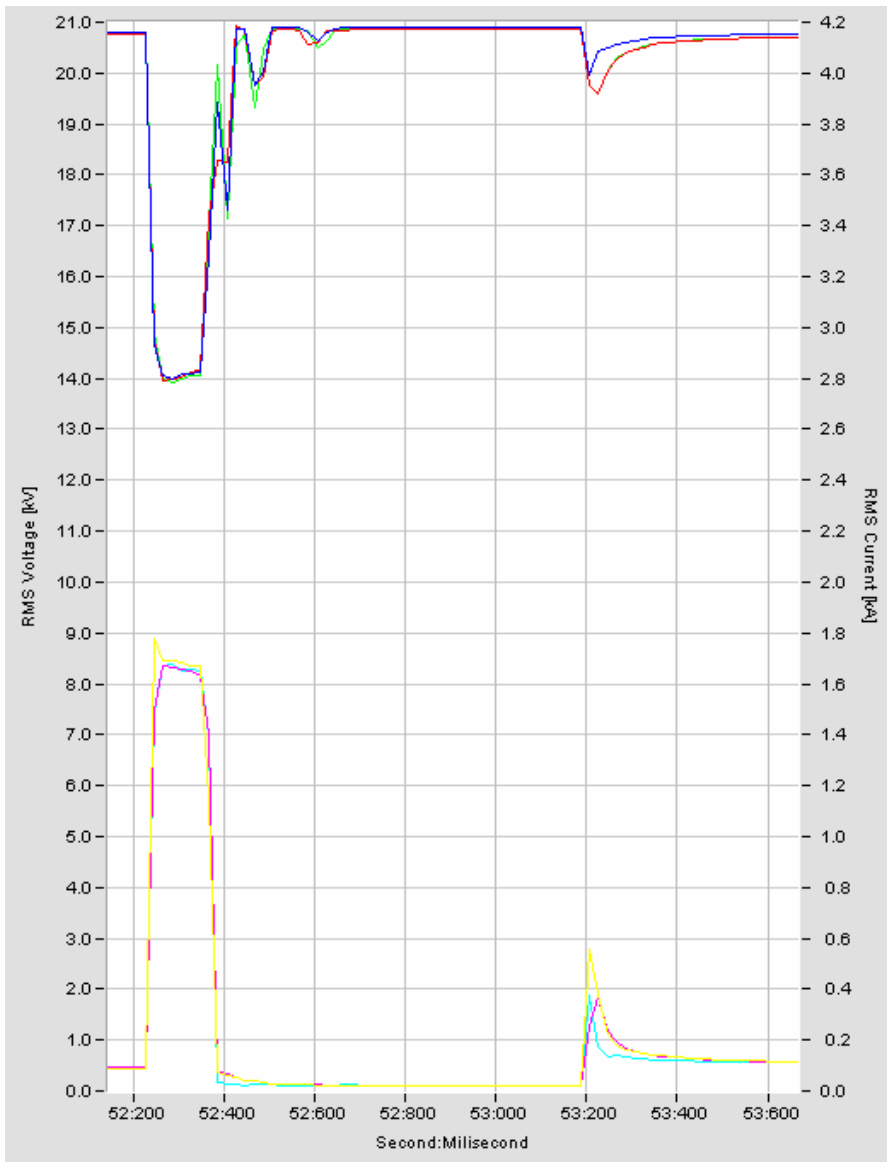


Fig. 2.5. RMS recording of 20 kV phase-to-phase voltages and the current in each phase. The first sag is due to a 3-phase short circuit, the second due to re-energizing of the feeder and its transformers (successful re-closure attempt).

2.3 Frequency of voltage sags

From an economic point of view the sag frequency, i.e. the annual number of sags, is very important. Each sag that exceeds the process withstand level introduces considerable economic losses. The higher the sag frequency, the higher becomes the annual cost as well.

When assessing the total annual sag related cost one has to find out how many sags are expected. The difficulty in retrieving the data is its random nature. The annual number of faults depends on numerous random variables.

The ceramic level (i.e. the number of lightning strokes), wind, rain and snow conditions, even the prevalence of cones (affecting the squirrel population), have significant effects on annual sag numbers. It takes decades, or even centuries, to obtain highly reliable averaged sag density statistics for a certain area.

However, some rough estimation can be acquired from measurement over a shorter period. Another approach is to use stochastic mathematical methods for assessing more precise figures.

Often the annual sag frequency, or sag distribution, is shown as a three-dimensional chart, like the one in Fig. 2.6. The data is retrieved from actual measurements and represents an annual sag frequency in a 20 kV system. Events are first categorised phase by phase. Figures are then summed up category by category and further divided by three, i.e. the number of phases. This way of processing is based on the assumption that events are evenly distributed in each phase. Performing the above mentioned calculations gives us the annual number of sags per phase.

This is a very typical distribution, although the sample is reasonably small. In the time domain there are obvious peaks in three categories, 50-150 ms, 150-300 ms and 300-500 ms. The first one represents the characteristic delays from the instant tripping of a circuit breaker in both HV and MV systems. Instant tripping is used when the fault current is higher, in other words, the sags are deeper. This feature can also be seen in the chart. The deepest registered sags are in this time category.

If the fault current is not very high, an additional delay is allowed in the breaker tripping coordination. Typically this means 300-500 ms. In this time category we can see a high peak at shallow sags. This contribution comes wholly from MV faults. In HV systems, fault currents are reasonably high and thus the faults are usually cleared instantly to avoid component damage. The two deep sags, or actually outages, in the 0,5-1 s category penetrated from the HV system. They were severe 3-phase faults which brought the voltages down to zero and tripped a 110 kV line. Automatic backup supply connections took almost a second to arrange. These are very problematic events for sag sensitive devices.

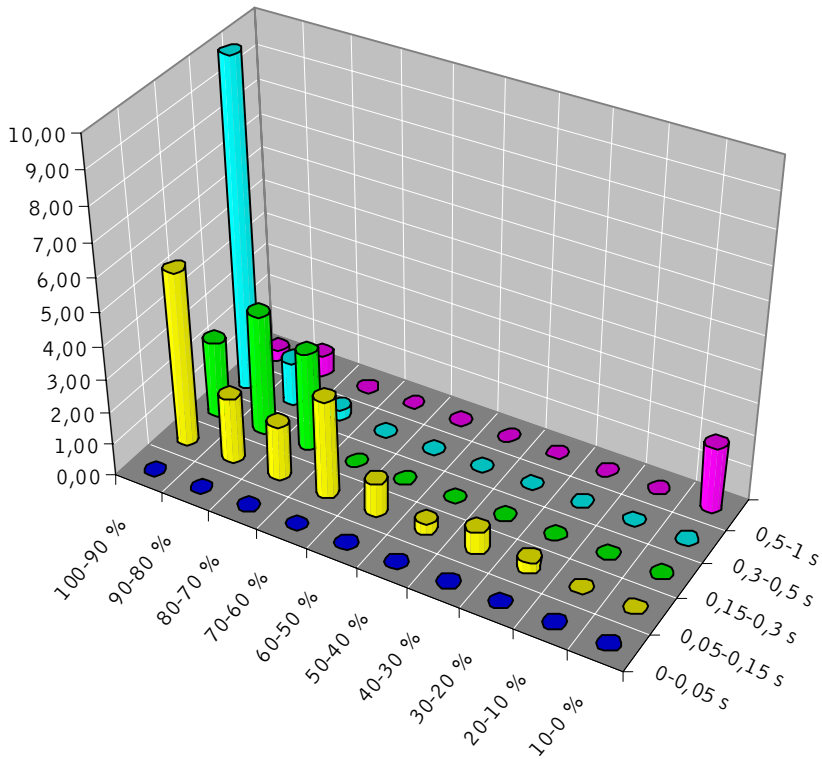


Fig. 2.6. A common way of presenting annual sag distribution. Nr. of sags per year as a function of sag magnitude (remaining voltage) and duration.

2.4 Three-phase characterization of voltage sags

Voltage sags in a 3-phase power system are always a phenomenon affecting one, two or three phase-to-ground voltages, and further, 0 to 3 phase-to-phase voltages. In addition to the magnitude, the phase angle(s) between the phases may also change during the event.

These changes in both magnitude and phase angle are related to the fault type causing a sag. A symmetrical 3-phase fault leads to a symmetrical 3-phase sag whereas 1- or 2-phase faults cause unsymmetrical sags.

By using the symmetrical components of a 3-phase power system it is possible to categorize the sag characteristics in all three phases simultaneously. Such an approach has been developed and proposed by Dr. M. H. J. Bollen [4-5].

In the method, sags are divided into four basic types, A, B, C and D. Type A refers to symmetrical 3-phase sags, whereas single-phase and phase-to-phase faults cause class B, C or D sags. In Ref. [5], C and D type sags are further divided into three subtypes, e.g. C_a , C_b and C_c , depending on which of the phases, a, b, or c, the fault affected.

In addition to the sag type, a complex phasor called characteristic voltage is all that is needed to describe a voltage sag in a 3-phase system without losing any essential information. For systems where the positive and negative impedances are not equal, an additional PN factor (positive-negative factor) is needed in order to ensure accurate results. Any of the phase-to-ground or phase-to-phase voltages during a sag can be retrieved when the three parameters are known: sag type, characteristic voltage and PN factor.

The approach described above is valid also from one voltage level to another because it takes into account transformer and load connections (star-delta), and is based on per unit (p.u.) calculation.

3 TECHNICAL AND ECONOMIC IMPACTS

3.1 Technical aspects

Voltage sags can cause serious economic damage to customers. Before we are able to determine the severity of the economic impact we have to determine the technical impact of voltage sags on power distribution system loads. Further, before we can predict the impact of voltage sags on a complete process, plant or service, we have to predict the voltage sag sensitivity of single loads and load types. Because each piece of equipment has a withstand level or curve of its own and, in addition, has a certain amount of randomness in its behaviour, only categorized predictions can reasonably be established. The following chapters give such estimates, i.e. for the impact of voltage sags on some of the most sensitive load types.

There are at least three ways to determine and predict the performance of loads during voltage sags. First there are standards and codes which set the withstand limits for devices connected to a public power system. Manufacturers commit themselves to obeying the standards when designing equipment.

The second way is to collect data from previous surveys done on the topic. Sags seem, however, to be such an emerging issue that comprehensive studies do not yet exist.

The third alternative, one of the academic contributions of this thesis, is to carry out one's own tests. In the Power Systems Laboratory of Helsinki University of Technology we have successfully set up a testing facility which, among other features, can be used for generating voltage sags of preferred magnitude, waveform, duration and point-on-wave of initiation. The equipment is based on ProfLine 2100, a 3x5 kVA solid-state voltage generator supplied by Schaffner EMV AG, Switzerland, and a DSP (digital signal processing) measuring module. See Fig. 3.1.

One of the great benefits of the system is its capability of reproducing events with exactly the same waveform and parameters. Repeated tests give the results more accuracy. The outcome of our tests compared with previously achieved values and the prevailing standards are represented in the following chapters.



Fig. 3.1. Schaffner Profline 2100 EMC tester was used for generating voltage sags.

3.1.1 Contactors

Contactors and ac relays, henceforth referred to as contactors, are used for connecting loads, typically motors, to the power system. They provide galvanic isolation between the control circuit and primary circuits also allowing different voltage levels for each circuit. Heavy 3-phase loads can thus be connected to the network by controlling only the low power coil of the contactor. Motor starters also typically use contactors for connecting the primary circuits.

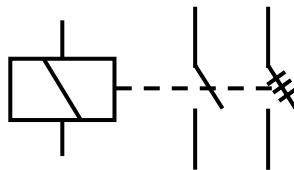


Fig. 3.2. Schematic symbol of a contactor illustrating the coil, one auxiliary contact and 3-phase main contacts.

See Fig. 3.2. The structure of a contactor is very simple. Applying a control voltage causes a current flow through the coil. The current generates a magnetic flux and further a force which keeps the contacts closed. After disengaging the voltage the flux vanishes and the spring will open the contacts. Despite the rather

simple and conventional construction, an unintended tripping of a single contactor may lead to the shut-down of a sophisticated industrial process. This makes contactors really worth studying from the sag point of view.

Most European contactor manufacturers have designed their products according to IEC 60947-4-1 [6]. The standard gives the following limits for electromagnetic contactors, whether used separately or in motor starters:

- shall close satisfactorily at any value between 85 % and 110 % of their rated control supply voltage U_s
- shall drop out and open fully between 75 % and 20 % of U_s for ac, 75 % and 10 % for dc

As can be seen, the limits refer to steady-state conditions. No time limits are given and thus event type phenomena, e.g. voltage sags, are not specifically considered. One could still expect that the steady state limits are more or less applicable to voltage sags as well.

Several studies have been carried out and typical values published on the sag sensitivity of contactors [7-12]. The results are combined in Fig. 3.3 as an average of the devices tested in each reference.

Most of the references mentioned above do not only give magnitude/duration limits for the tested equipment but also point out that the point-on-wave of initiation strongly affects the contactor performance. This is due to the energy stored in the magnetic circuit as a remaining (dc) flux. The stronger the flux is at the moment of sag initiation the better the contactor rides through the event. Further, the deeper the sag, the more significant the decaying dc component of the magnetic field is. In other words, the effect of the point-on-wave of initiation is most clearly seen in the case of deep sags.

In practice, the maximum flux is achieved if the voltage drops at the moment of coil current maximum. Due to the lagging power factor of the inductive contactor coil the current appears at the voltage zero-crossing (0°). Conversely, at the moment of voltage maximum (90°) the momentary current and remaining dc flux are close to zero. This leads to the conclusion that contactors are most sensitive to sags initiated at 90° and least sensitive to sags initiated at 0° . Ref. [7,8] also support this way of thinking.

To provide additional results for comparison, contactors were also tested in the PQ (power quality) laboratory, as described in Ch. 3.1. The performance of 28 contactors rated from 9 to 900 A continuous current (AC-3) from 5 manufacturers was examined thoroughly. Some units were brand new while others had been in operation for several years. Some of the tested devices are shown in Fig. 3.4.

Few elderly contactors were rated at 220 V control voltage whereas the new ones comply with the up-to-date European 230 V rating. However, all of them were tested at 230 V, 50 Hz. The experiment set-up is shown in Fig. 3.5.

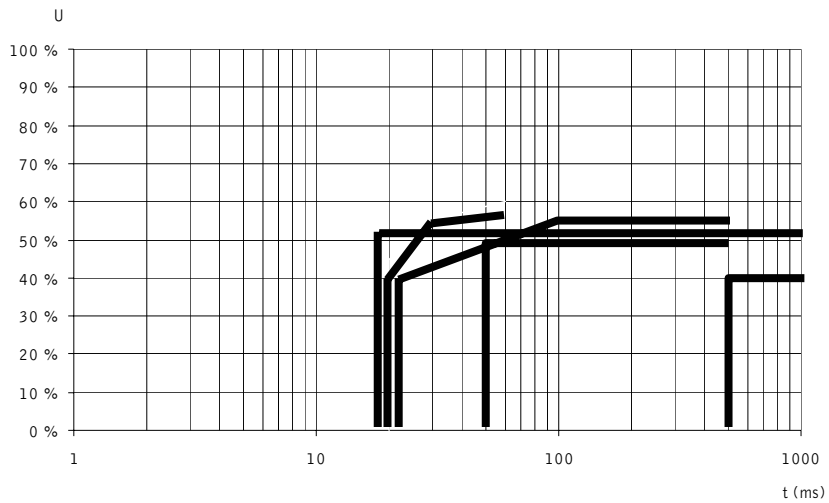


Fig. 3.3. Contactor drop-out limits according to [7-12].

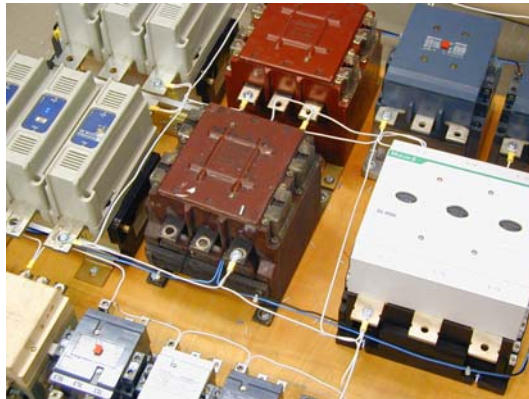


Fig. 3.4. Some contactors under test.

For detecting the disengagement of the main contacts, 500 W of incandescent lamp load was connected through the contacts. The lamp voltage was also monitored by a Fluke 43 PQ analyzer. The analyzer is capable of detecting very rapid drops in the voltage and is thus a reliable way of revealing the contactor behaviour during sags. Additionally, the lamps were observed by the test personnel. The human eye is extremely sensitive to variations in lamp luminance and easily detects contactor drop-outs lasting only a few milliseconds.

The performance of each contactor was tested by applying sags of different depth and duration in order to define a tolerance curve. To get accurate results, all

relevant combinations of these two measures were repeated several times. If a contactor tolerated more than 50 % of sags of a certain duration and magnitude the test was considered passed for those values.

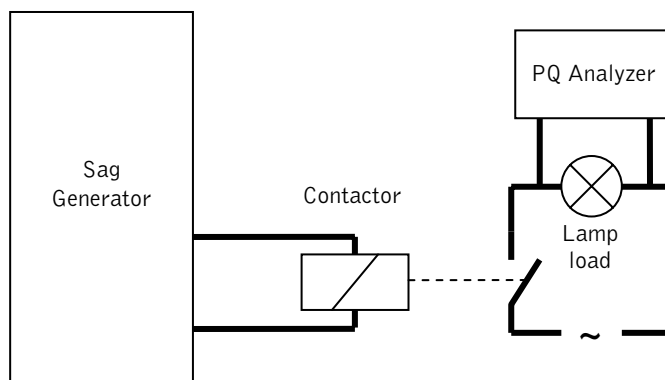


Fig. 3.5. Laboratory arrangement for testing contactors.

The magnitude resolution was 5 %. As for the duration, a logarithmic categorization was used: 20, 40, 60, 80, 100, 200, 300, 400, 500, 600, 700, 800, 900 and 1000 ms. It was not considered reasonable to perform an exhaustive test with sags shorter than one 50 Hz cycle, because one can hardly ever experience such in public distribution systems. Typically, sag duration is determined by the circuit breaker opening time, which for the time being cannot be less than 50 ms. Some contactors were tested down to 0 ms for curiosity, though. As Collins et al. [7,8] point out, a sag lasting a quarter of a cycle is enough to drop out a contactor under certain circumstances. This was also recognized in our own tests.

Where we didn't agree with [7,8] was the upper limit of duration. Collins et al. say there is no change in contactor performance for sags lasting more than 60 ms. According to our sample this limit was closer to 700 ms.

To be able to estimate the effect of point-on-wave of sag initiation, two sensitivity curves for each contactor were drawn, one at 0° and another at 90° , corresponding to the most and least sensitive cases, respectively. Summarized curves (minimum, median and maximum) of all 28 contactors are shown in Fig. 3.6.

Median curves are very close to the ones shown in Fig. 3.3. They also represent very typically the effect of point-on-wave of sag initiation. When increasing the triggering angle from 0° towards 90° , two changes will occur in the sensitivity curves. First, the steady-state limit, i.e. the horizontal part of the curve decreases by 5-10 %. Secondly, the performance during deep sags changes significantly. At 0° the contactor may ride through an outage of 700 ms whereas at 90° a 20 ms sag having a remaining voltage of 50 % may cause the device to trip.

In practice the duration of voltage sags is determined by the operating time of the medium voltage breaker and feeder relay. The combination of a processor based relay and an SF₆ breaker is able to disconnect the faulted feeder in 50-70 ms. Sometimes an additional delay is allowed to prevent harmful outages. The delay seldom exceeds 500 ms. From the utility point of view the interesting range is thus from 50 to 500 ms. As can be seen in the median curves in Fig. 3.6, within this range the point-on-wave does not have much significance, neither does the duration. The magnitude remains practically the only interesting measure and the most problematic 0° value gives a simple rule of thumb for contactor sag sensitivity. The distribution chart of this steady-state voltage limit for two point-on-wave angle values (0° and 90°) in Fig. 3.7 shows the performance of the 28 tested contactors.

All values are between 20 % and 70 %, which also complies with the European standard [6]. Most tolerate 50 %, a commonly proposed level. Fig. 3.7 also clearly indicates that selecting a less sensitive contactor may drastically improve the overall sag sensitivity of the process.

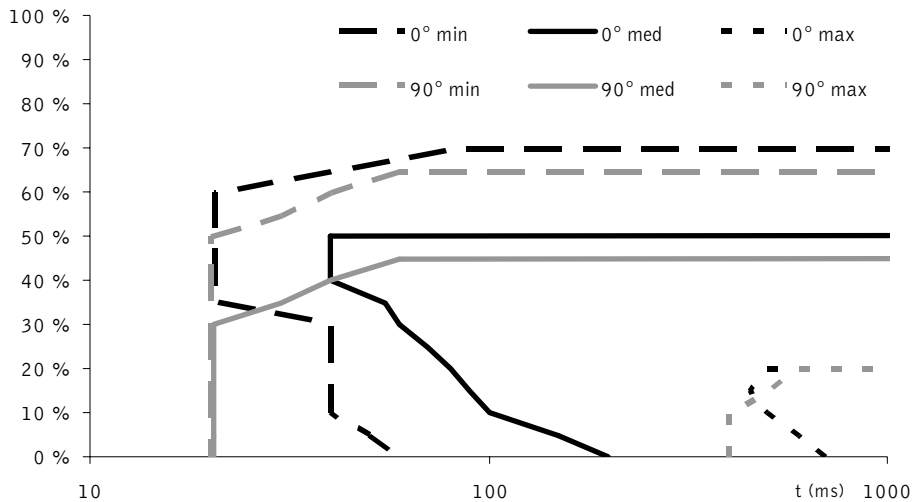


Fig. 3.6. Acquired voltage tolerance curves for 28 contactors. Note: Sags shorter than 20 ms were not included in the test.

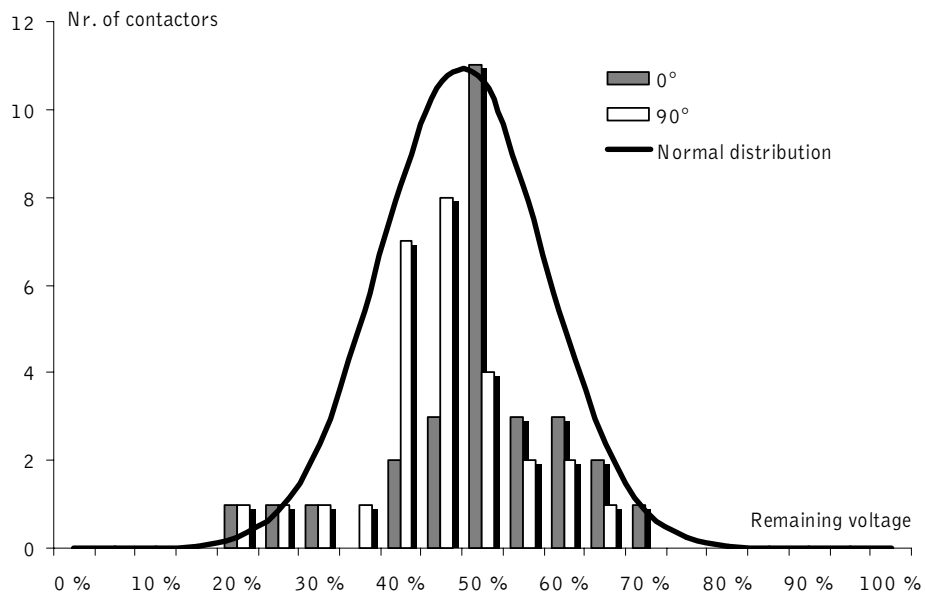


Fig. 3.7. Acquired distribution of steady-state drop-out voltage for 28 contactors at two point-on-wave values. The normal distribution curve is also drawn.

3.1.2 Gas discharge lamps

Gas discharge lamps are widely used in places where a significant amount of light intensity is needed, i.e. street lighting, sports fields and halls, supermarkets, factory sheds, etc. They provide a very cost-effective way of transforming electricity into visible light. Pressurised gas, e.g. mercury or sodium, inside a light bulb is ignited by a starter-choke or more sophisticated ballast construction. A controlled arc burns in the gas, producing light. A high pressure sodium lamp is shown in Fig. 3.8.



Fig. 3.8. High pressure sodium lamp.

Once the electricity supply is disconnected, or sags sufficiently, the arc is extinguished. After supply recovery it takes several minutes to cool down the gas and electrodes until the arc is re-ignited. This is an obvious disadvantage from the voltage sag point of view. Although losing the illumination seldom trips off an industrial process or causes damage to equipment, the indirect consequences may nevertheless be significant. A black-out in a factory shed or ice-hockey hall can easily cause panic, injuries, loss of production, and other problems which lead to direct or indirect economic losses.

Standards for lamp, ballast and igniter manufacturers give no limits for the system performance during sags [13-18]. Some reference can be obtained, however. Testing limits for the rated performance of a luminaire are in most cases set to 92 % ... 110 % of the nominal voltage. In other words, the system has to fulfil the manufacturer specifications at a steady-state voltage level of 92 % of the nominal. The minimum voltage level for stable operation of a lamp is typically 85-90 % of nominal. Above this level the starters and igniters may not cause any interference to the lamp. As one could assume from these figures, gas discharge lamps are very sensitive to voltage sag magnitude. There is no energy storage in the system as in the case of contactors and this makes the lamps sensitive to short duration sags as well.

Some studies on the topic have been carried out abroad [19-20]. Reference values for critical sag magnitude vary from 50 % to 80 % of nominal, most typical figures being closer to the upper value. A sag as short as a 0,5 cycle, at the specified magnitude may cause the lamp to extinguish. According to Dorr & al., lamp sensitivity to sags depends very much on the age of the lamp. The older the lamp, the more sensitive it is to voltage sags.

In our own tests, 7 gas discharge lamps of different brand, type and power rating were tested. The sample included the following 230 V bulbs:

- mercury 80 W
- mercury 125 W
- high-pressure sodium 70 W
- high-pressure sodium 100 W
- high-pressure sodium with red correction coating 150 W
- high-pressure sodium with red correction coating 250 W
- metal halide 250 W

All lamps were aged for 100 hours before being subjected to the test. Sags were applied to lamps under normal and stable operating conditions, i.e. after a proper warm-up period. The sensitivity curves in Fig. 3.9 were obtained for the lamps specified above.

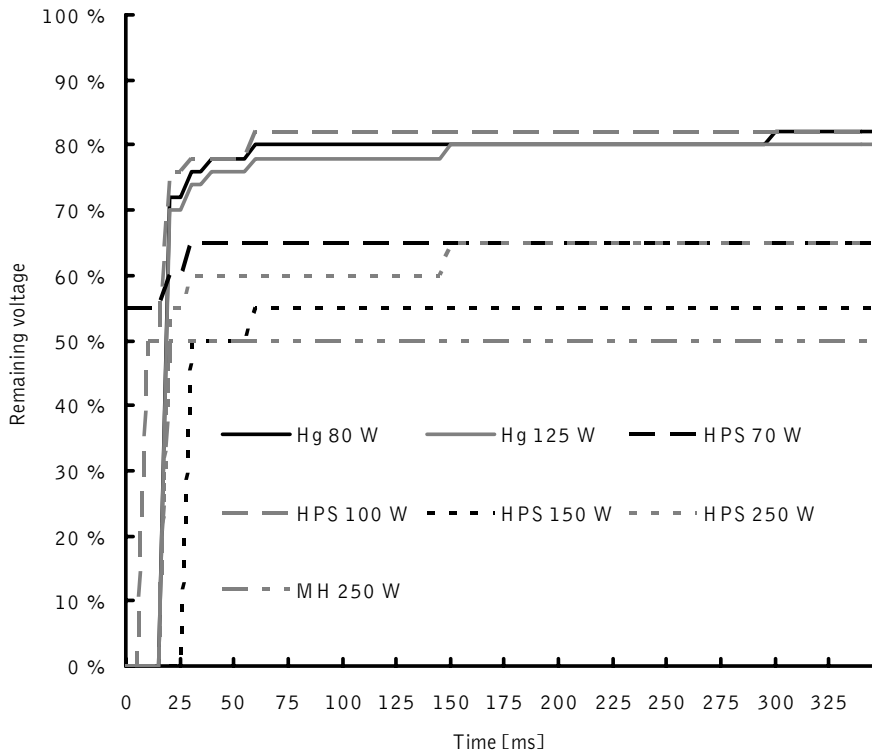


Fig. 3.9. Voltage sag tolerance curves for seven gas discharge lamps (Hg = mercury, HPS = high-pressure sodium, MH = metal halide).

We also tested two lamps with reactive power compensation capacitors connected to the ballasts. For these lamps the effect of the capacitor was negligible. All lamps had conventional ballast and starter construction; no electronic ballasts were used.

According to this sample the oldest lamp types, mercury and conventional high-pressure sodium lamps, were the most sensitive to sags. Bulbs representing more modern technology, i.e. HPS with high colour rendering index as well as metal halide lamps tolerated much deeper sags. The sample is not large enough for drawing more profound conclusions. Sag duration does not have any practical meaning. In real power distribution systems sags generally last longer than the critical value of the lamps. This leads to the fact that the lamp sensitivity to sags can be specified by simply defining the critical sag magnitude.

3.1.3 Microprocessor based equipment

Microprocessors are basic components in almost all types of electronics, from household appliances to complicated industrial process control devices. Personal computers (PC) and programmable logic controllers (PLC) are typical examples.

Common to this equipment category is the obvious sensitivity to supply under-voltage conditions. Low voltage electronics are usually powered by an ac/dc converter consisting of a conventional transformer-rectifier topology or a more sophisticated chopper construction. Capacitors are used on the dc side for filtering the ripple. In addition, the fully charged capacitor bank also contains a certain amount of energy that can be used for supply backup purposes in the case of a momentary input voltage drop. The rating of the capacitor determines the maximum depth and duration of a sag that can be successfully mitigated.

An unintended restart or lock-up of a processor based device may lead to various problems, ranging from loss of data to a shutdown or halt of a complete industrial process.

No standards have been established on the issue, probably due to the wide, heterogeneous range of devices and solutions in this category. Instead, a common agreement by the manufacturers does exist. The so called ITI curve is published by the Information Technology Industry Council (ITI) [21]. The latest version is shown in Fig. 3.10. The previous version of the curve was known as CBEMA, which stands for Computer and Business Equipment Manufacturers Association.

Below the lower ITI curve there is a region where the loss of energy in the dc capacitor may cause unwanted operation or malfunction of the sensitive equipment. Permanent damage is anticipated under conditions violating the overvoltage limit curve but this seldom happens within the undervoltage region.

Because of the almost endless variety of device constructions and power supply units it is impossible to give precise limits for this kind of equipment. For example, the sensitivity of a computer is strongly dependent on the components and their operational state. Adding auxiliary devices and performing complex calculations require more power and further decrease the system sag tolerance. Sometimes PCs or logic controllers are supplied through a UPS backup, which increases their tolerance significantly. It is possible, however, to acquire accurate results for a particular device by performing exhaustive sag tests.

Some ride-through values for personal computers are presented in [20] by Brauner & al. The critical remaining voltage varies between 30 % and 65 % of nominal. The allowed duration of a total interruption ranges from 80 ms to 450 ms.

In our tests seven personal computers aged from 0 to 7 years were subjected to sags. Sags were made deeper and longer until the tested computer rebooted. The monitors were connected to another supply to prevent their effect on the behaviour of the central processing units. Results obtained for the test set are shown in Fig. 3.11.

There is quite a lot variation in the critical values. The average level for the minimum allowed remaining voltage is 50...60 % of nominal. This corresponds well with figures shown in [20]. These typical values are assumed to be roughly applicable to PLCs and other microprocessor based devices as well.

For this device category the sag duration also seems to have some significance. Most computers tolerate a deep sag, or even an interruption, for more than 100 ms. Sag duration can be restricted to this value by up-to-date MV feeder circuit breakers and protection relays with proper settings.

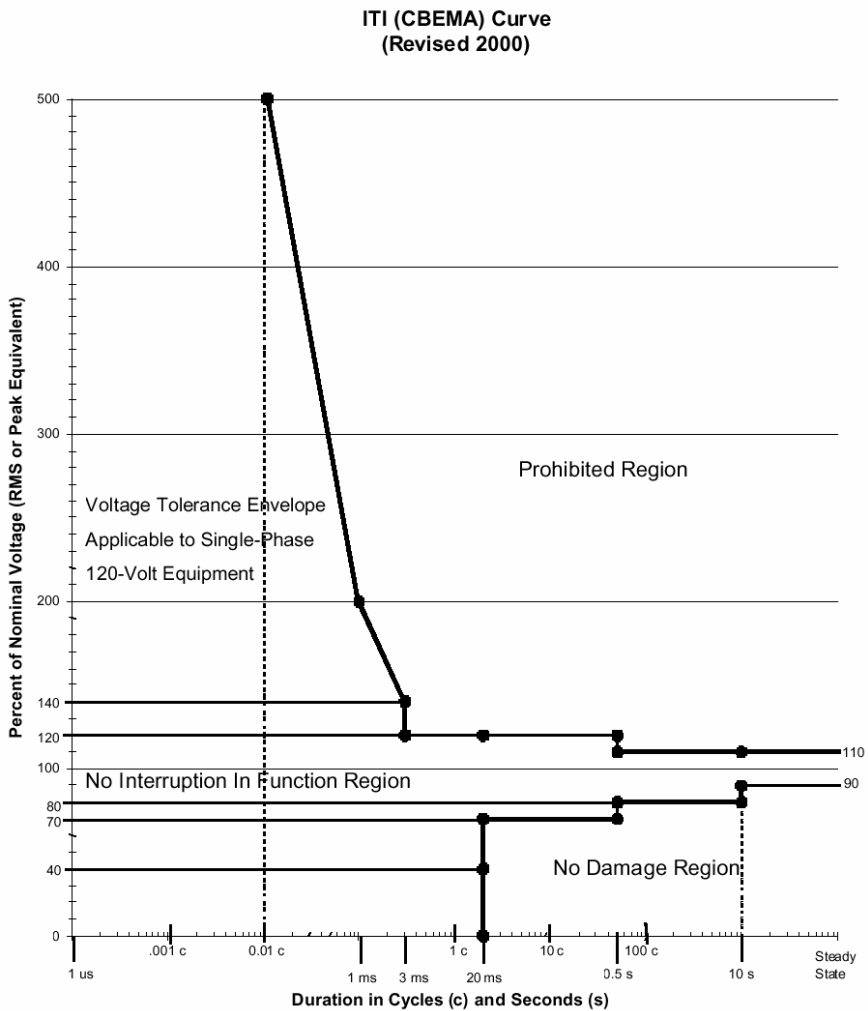


Fig. 3.10. ITI curve [21].

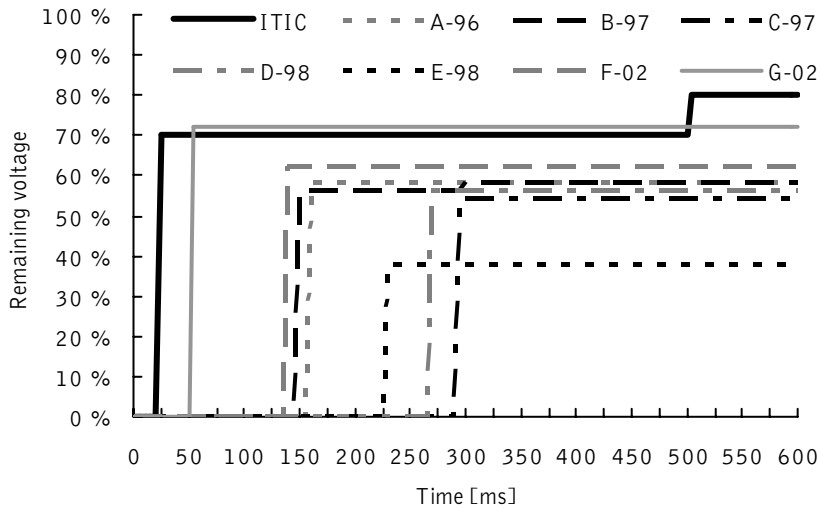


Fig. 3.11. Test results for seven computers. ITI curve is also shown. The numbers indicate the approximate year of manufacture.

3.1.4 Converters

Another group to be mentioned regarding voltage sag sensitivity comprises ac/ac- and ac/dc-converters. Variable speed drives are used to control motors in industrial processes, building automation, water supply and sewerage, etc. Regardless of the converter construction there is always a dc link downstream from the ac input. Here also a capacitor is used to filter the dc ripple.

Compared to computer power supplies, converters are rated for a much higher output power. The capacitor is not rated accordingly and can thus not be used for backup supply purposes. In addition, it is not recommended to supply motors with sagged or unbalanced voltage. This is due to the risk of overheating and permanent damage to the equipment.

Converter control schemes are usually designed so that the undervoltage protection trips the drive output as soon as the voltage drops down to the rated minimum operation voltage of the load. This not only protects the (motor) load from damage but also prohibits unwanted current increase on the converter input side.

These aspects lead us to the conclusion that there are two limits governing converter sag sensitivity:

- hardware limit determined by the dc link capacitor and the converter load rate
- software limit determined by the minimum load input voltage limit and set by the user

If the software limit, i.e. undervoltage protection, is disengaged, the hardware limit applies. At the hardware limit the converter is not capable of providing rated performance but instead produces a sagged output voltage. How much the output voltage decreases depends on the component rating and load rate. Converter input unbalance is corrected in most cases, however.

As with computers, here also the variety of brands, constructions and power ratings is huge. It is neither possible nor reasonable to test all equipment on the market. Some estimates of typical values may be used or tests performed on devices of particular interest.

Existing standards for manufacturers give some guidelines, which are useful for determining the average values [22-27]. Most of them only give limits for the steady state input voltage. One limit is for *uninterrupted operation*, typically 90...110 % of nominal. Another, more strict, is the limit for *rated performance*, set to as high as 100...110 % of nominal in [24].

The IEC standard [25] for power drive system electromagnetic compatibility (EMC) issues superficially mentions sags of 70 % to 50 % remaining voltage and 300-1000 ms as problematic.

The standard for line commutated converters [27] establishes three immunity classes: a, b and c, which apply to both steady state and voltage events (0,5 to 30 cycles). Class a is the most tolerant and c the most sensitive. For steady state conditions the minimum is 95 % to 90 % of nominal depending on the immunity class. Violating this limit leads to “loss of performance”. For undervoltage events the minimum varies from 92,5 % to 85 % of nominal depending on the immunity class and whether the converter is used as an inverter or is intended for rectifier operation only. Voltage sags deeper than the given limits lead to “interruption of service due to protective devices”.

As can be seen, all these limits are very strict. The supply voltage should never go below 85 % of nominal even for a few milliseconds. As discussed above, this is mostly for protecting the load from permanent damage. When the software limit is set to 90 % or 85 % for this reason, it is not economically viable to make the hardware much more tolerant either.

Some motors in some applications operate without problems at undervoltage as well, whereas in others the momentary loss of torque or speed may be fatal to the process or equipment [28]. In the former cases the software limit can be set far below the standard recommendations or completely disengaged. Hardware then determines the ultimate trip-out voltage. From the point of view of the complete process it is extremely important to study whether running the motor below nominal ratings will still adversely affect the process. For example, even though a vacuum pump in a silicon wafer oven seems to run adequately at undervoltage the slight diminution of vacuum during a sag may completely spoil the product. It is thus totally dependent on the process whether running in this “grey zone” will or will not cause problems. Fig. 3.12 concludes the issue.

An optimal (and obvious) protection scheme should thus provide optimal protection for the process, not only for the converter load device. A more sophisticated way is, instead of only concentrating on the protection scheme, to switch to a completely different load control scheme while a sag is present. This alternative operation mode is carefully and individually designed for each particular load to optimise the ride-through capabilities and process stability. An example is given in [29].

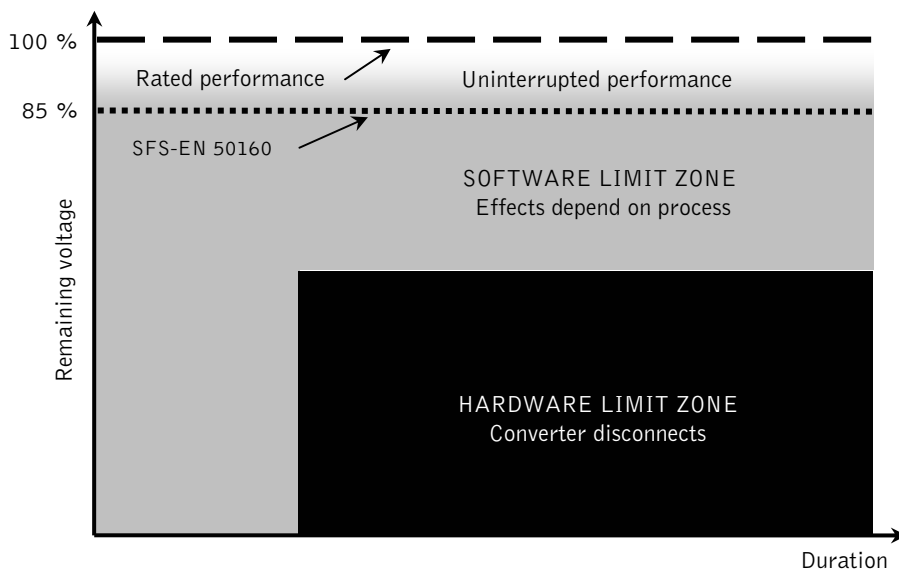


Fig. 3.12. Converter sag sensitivity. Software limit (shutdown by undervoltage protection) can be freely set to any magnitude and duration outside the hardware limit zone.

In terms of actual test results, Koch et al. gave minimum and maximum sag sensitivity values for tested variable speed drives (VSD) [9]. The minimum voltage amplitude ranges from 90 % to 60 % of nominal and the maximum duration of an outage varies between 50 and 500 milliseconds. IEEE Standard 1346-1998 [12] gives very similar example values, while pointing out that the figures should not be considered to represent typical performance.

3.2 Economic aspects

Why are we basically interested in voltage sags? The presence of sags in a power system introduces the risk of process interruption and further significant economic losses.

Before assessing the cost it is worth devoting some time to its source. We have two quantities that affect the cost: process sensitivity and sag frequency. Expressed as a probability distribution:

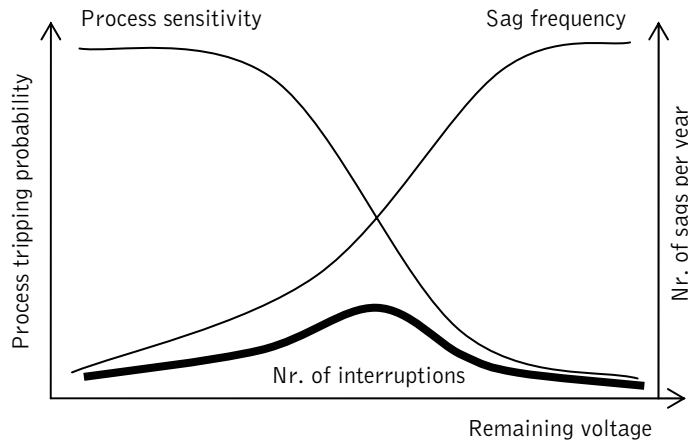


Fig. 3.13. Probability of process interruption due to voltage sags.

Let the remaining voltage be u , process sensitivity $P(u)$ and sag frequency $S(u)$. The risk of interruption is thus

$$I(u) = P(u) \cdot S(u) \quad (3.1)$$

For this continuous distribution, the total number of sag related interruptions is written as:

$$N = \int_{u=0\%}^{100\%} I(u) du = \int_{u=0\%}^{100\%} (P(u) \cdot S(u)) du \quad (3.2)$$

Usually sag duration is also considered. In terms of Fig. 3.13 this leads to the addition of one more dimension. The three probability curves, I , P and S , are no longer curves but planes comprising u/t coordinates. Equation 3.2 also needs to be rewritten:

$$N = \int_{t=0}^{t_{\max}} \left(\int_{u=0\%}^{100\%} I(u,t) du \right) dt = \int_{t=0}^{t_{\max}} \left(\int_{u=0\%}^{100\%} (P(u,t) \cdot S(u,t)) du \right) dt \quad (3.3)$$

An unintended process shutdown means a lot of unexpected work, regardless of the cause of the interruption. Torn web on a paper mill production line or lost vacuum in a silicon wafer oven may cost huge amounts of money. The line has to be shut down, cleaned and started up again. Loss of production and raw materials, delayed delivery penalties as well as paying the workers for overtime introduce additional costs. Ref. [12] proposes one thorough method for retrieving proper figures for the event cost of a sag related interruption.

Total cost may be assessed for one process or customer, customer category or for the customers of a complete power distribution company, depending on the standpoint. The more accurate the results required, the more focused the study should be.

Assessing the economic significance of a process interruption has to be based on facts, not solely on subjective matters. Inconvenience due to sags can be taken into account as one factor in the analysis but should not be emphasized excessively. Even if based on facts the results vary widely. In [30], 400 industrial customers participated in a survey. Being asked about the real cost of a 50 %, 200 ms sag, the customers gave the results shown in Fig. 3.14, arranged in order from low to high:

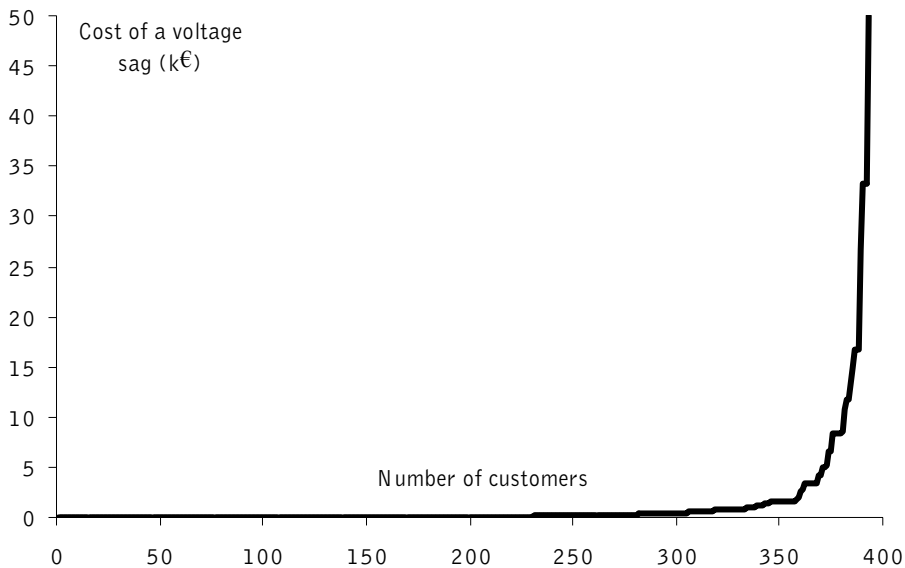


Fig. 3.14. Distribution of experienced sag cost announced by 400 industrial customers, put in order from low to high.

Although this is only one example, it is strongly assumed that it represents a quite typical distribution. The curve shows that 150 of those 400 customers did not have any inconvenience or losses due to voltage sags whereas 2 %, i.e. less than 10 customers, accounted for 50 % of the total cost spanned by the curve. Obviously certain types of industry are more sensitive to power system disturbances than others. The chip manufacturing and process industries are often mentioned to be the most vulnerable. When the economic significance is high, more sophisticated methods for correcting the problems may also prove to be cost-effective.

The fact is that a vast amount of money is spent yearly for the consequences of voltage sags. A paper by the author et al. [31] gives an estimate for the total voltage sag related cost for the customers of five Finnish power distribution companies. Numbers range from 0,6 to 14,5 million € per company.

According to [30], a voltage sag (50 %, 200 ms) is likely to cost the customer more than an outage lasting 1 second but, in most cases, less than an outage of 1 minute duration. See Table. 3.1.

Table 3.1. Outage and sag cost reported by industrial customers in € per kW [30]. (1 DKK in 1993 \approx 0,16 € in 2002)

| | Sag, 50 %, 200 ms | Outage, 1 s | Outage, 60 s |
|---------|-------------------|-------------|--------------|
| Denmark | 2,35 | 1,25 | 3,49 |
| Finland | 2,90 | 2,39 | 3,31 |
| Iceland | 6,41 | 0,18 | 0,21 |

In the reference, the Icelandic figures for sag cost are seen to be much higher than the mean value due to some excessive numbers given in the survey. Excluding these two customers gives 0,77 €/kW as an average, which is still higher than the interruption figures.

The phenomenon described above is due to the fact that a total interruption brings the whole plant down whereas a voltage sag may cause some devices to trip, others to get stuck, while some will continue to run unaffected. The plant is designed to automatically recover from total blackout without any human intervention or by simply being restarted manually. A process that has got into an unintended and uncontrolled state, as described above, is much more difficult to restore back to normal. This not only increases the direct cost due to a sag but also introduces a high risk of equipment damage during the abnormal operation.

4 MITIGATION OF VOLTAGE SAGS

As voltage sags are a recognised power quality issue and a source of significant economic losses, various means for mitigating the consequences of sags have been developed. Basically, all these solutions aim to reduce the number and severity of sags experienced by a sensitive customer. See Fig. 4.1 and compare with Fig. 3.13.

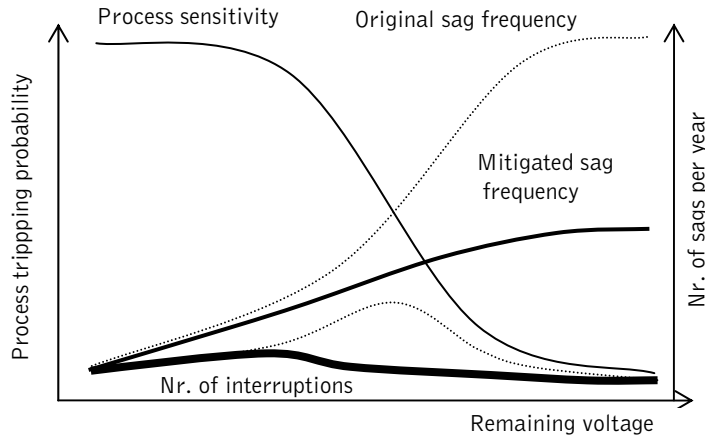


Fig. 4.1. Probabilistic risk of process interruption when mitigation is used. Dotted lines represent the original sag frequency and interruption risk curves.

One solution is to use conventional means and regular power system components to prevent faults or restrict the penetration of sags in a network. Tree trimming, surge protection, load rearrangement and separation of sensitive loads are well-known and widely used examples.

4.1 Custom power technology

A more sophisticated way, although no longer so novel or emerging, is called *custom power technology*. The expression “custom power” was established by Dr. Narain G. Hingorani in 1988 [32]. In the reference he writes about custom power: *The term describes the value-added power that electric utilities and other service providers will offer their customers and ... a prominent feature will be the application of power electronic controllers.*

“Custom power” thus refers to premium power quality *customized* to meet the customers’ needs. Further, the term “custom power technology” describes the equipment used for providing custom power. The technology is based on power

electronics and also, on some occasions, electrical energy storage. Below the abbreviation CP stands for custom power.

Custom power technology is a general term for equipment capable of mitigating numerous power quality problems including voltage sags. Basic functions are fast switching and current or voltage injection for correcting anomalies in supply voltage or load current. Injecting or absorbing both active and reactive power is possible. Current injection is typically used for protecting the power system from a polluting load.

For mitigating voltage sags, i.e. protecting a sensitive load from network disturbances, there are three basic custom power applications:

- switching the load to another supply
- injecting missing voltage from an energy storage
- injecting missing voltage by increasing the line current (booster)

The first is simply a rapid transfer switch, capable of switching the load to another supply. The more independent this alternative supply is from the primary supply, the higher level the load voltage can be restored to.

The second option utilizes an inverter, equipped with energy storage, for injecting the missing voltage. After supply voltage recovery the storage is recharged to full capacity for upcoming challenges. The size of the storage determines the maximum duration of sag that can be restored.

In a case where there is no stored energy available, the inverter injects energy drawn from the sagged supply, in other words converts current on the supply side into voltage on the load side. This construction requires some voltage to remain in the supplying power system in order to perform the conversion. Deep sags and outages are beyond its reach.

The following chapters discuss the characteristics of existing custom power sag mitigation applications and the corresponding power system requirements in detail. Rather than giving exact brand-related figures the scope is on general performance and modelling of mitigation capabilities.

4.1.1 Transfer switch

The solid-state transfer switch, also referred to as a sub-cycle or static transfer switch, is already an off-the-shelf product. The switch simply connects sensitive load(s) to an alternate supply as soon as a sag is registered in the primary supply. See Fig. 4.2.

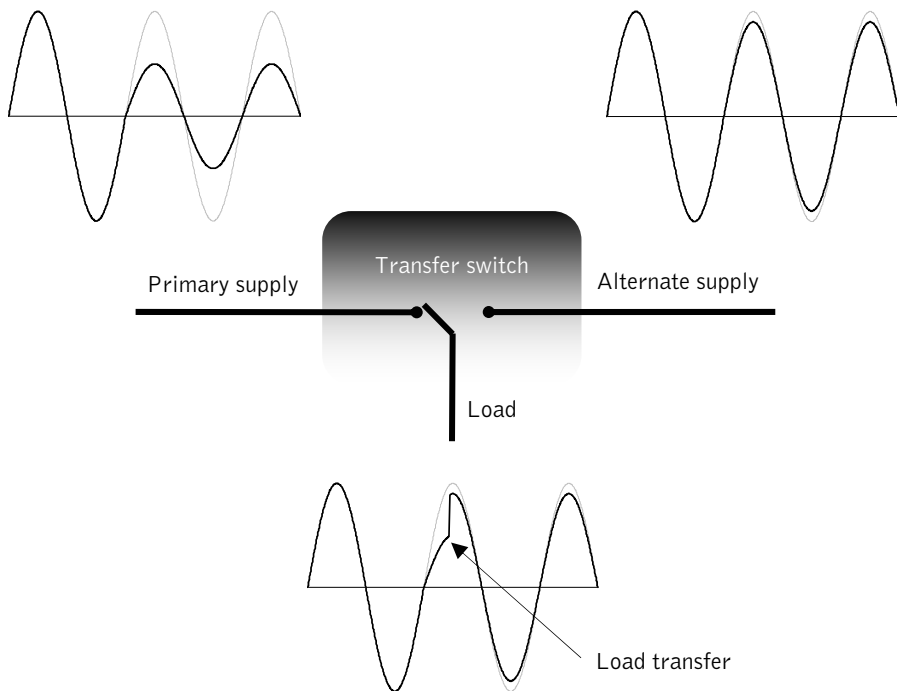


Fig. 4.2. Solid state transfer switch used for voltage sag mitigation.

A properly designed transfer switch installation is fully compatible with the connecting power system. Surrounding network conditions are a highly critical factor from the switch point of view, and determine the feasibility of the application. For rating the device itself, the following quantities have to be considered.

- basic voltage level
- maximum continuous current
- maximum let-through fault current (magnitude and duration)
- load transfer time

The largest available MV units are rated at 38 kV phase-to-phase, 1200 A continuous current. They are capable of transferring the load in 4 ms [33]. That is why the device is often referred to as a sub-cycle transfer switch. The above mentioned ratings are, however, determined by the stand-by environment of the switch and protected load. They do not necessarily guarantee successful voltage sag mitigation.

Alternate supply voltage during a sag in the primary supply is the critical factor. In an ideal case the alternate supply voltage is not at all affected by disturbances in the primary supply. For real cases, however, the backup supply quality, especially the voltage level during primary supply sag events, is the main concern when assessing the achievable protection level. As long as the alternate supply voltage is

acceptable there is no time limit for this mitigation technique, which is a major advantage.

An alternate MV supply may be arranged in many ways. In areas where the HV transmission system is strong enough and substations are equipped with more than one HV/MV transformer, it may be adequate to transfer the sensitive load(s) from one transformer to another. See Fig. 4.3.

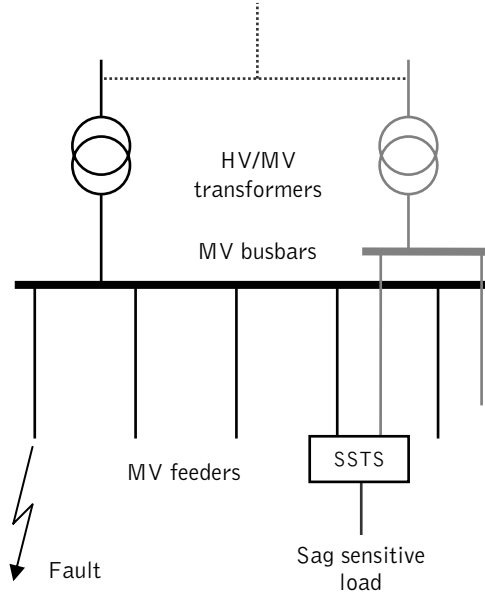


Fig. 4.3. Solid-state transfer switch at an HV/MV substation. Primary and alternate supplies are taken from different transformers.

The cause of the sag is in this case assumed to be a fault on one of the MV feeders. The following discussion also applies to other origins of voltage sags, however. The schematic diagram of the arrangement is shown in Fig. 4.4.

The load voltage during the voltage sag is in this case written:

$$U_{\text{LOAD}} = U_{\text{PCC}} = \left| \frac{Z_{\text{F}} + Z_{\text{M}} + Z_{\text{T}}}{Z_{\text{F}} + Z_{\text{M}} + Z_{\text{T}} + Z_{\text{S}}} \cdot U_{\text{SOURCE}} \right| \quad (4.1)$$

Let us calculate an example. For achieving the most severe case we assume a zero-impedance 3-phase fault occurs at the substation MV busbar, i.e. $Z_{\text{F}} = 0$ and $Z_{\text{M}} = 0$. Thus the load voltage after the switching operation, and the obtained protection level, is dependent on the transformer and source impedances only:

$$U_{LOAD} = U_{PCC} = \left| \frac{Z_T}{Z_T + Z_S} \cdot U_{SOURCE} \right| \quad (4.2)$$

In practice these impedances refer to the HV system short circuit capacity and HV/MV transformer rating. See Fig. 4.5. The transformer short circuit reactance z_k is here assumed to be 10 % for ratings up to 30 MVA, and 12 % for transformers rated at 40 MVA and higher. According to the figure, for example, an 80 % protection level is achieved by using a 25 MVA 110/21 kV transformer in systems where the HV short circuit current is 5 kA or more.

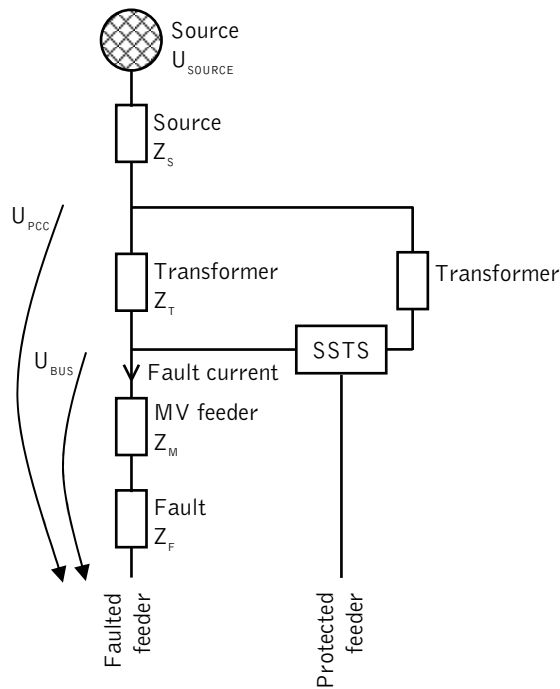


Fig. 4.4. Schematic diagram where the transfer switch is connected to two separate transformers located at the same substation.

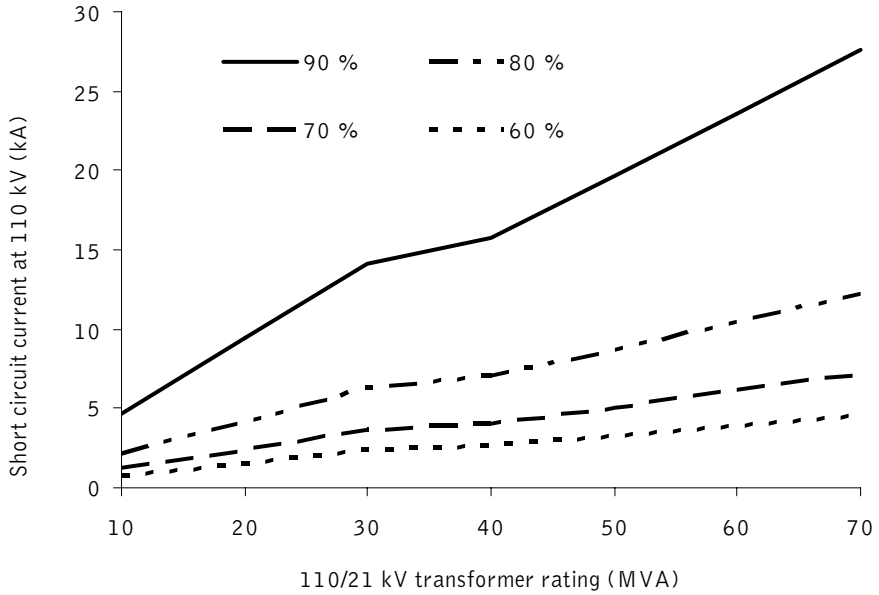


Fig. 4.5. Obtained protection level, i.e. the minimum voltage at load terminals as a function of short circuit current and transformer rating.

At distant substation or plant sites it may be necessary to build an MV feeder from another substation. In such a case the point of common coupling (PCC) is located higher upstream in the grid. See Fig. 4.6.

In a simplified case where both supplying HV subsystems are radial, i.e. there are no closed HV loops downstream the PCC, the remaining load voltage after supply transfer is written:

$$U_{\text{LOAD}} = U_{\text{PCC}} = \left| \frac{Z_F + Z_M + Z_T + Z_H}{Z_F + Z_M + Z_T + Z_H + Z_S} \cdot U_{\text{SOURCE}} \right| \quad (4.3)$$

Again, if we want to create a worst case scenario, a 3-phase fault is assumed at the substation MV busbar. Thus

$$U_{\text{LOAD}} = U_{\text{PCC}} = \left| \frac{Z_T + Z_H}{Z_T + Z_H + Z_S} \cdot U_{\text{SOURCE}} \right| \quad (4.4)$$

If the supplying HV systems include closed loops, more complicated calculations must be performed, though. Disregarding the network structure and required method of calculation, the quantities to consider seem to be: the transformer rating, HV line type and length, connection between the transformers and PCC as well as the short circuit current at the PCC.

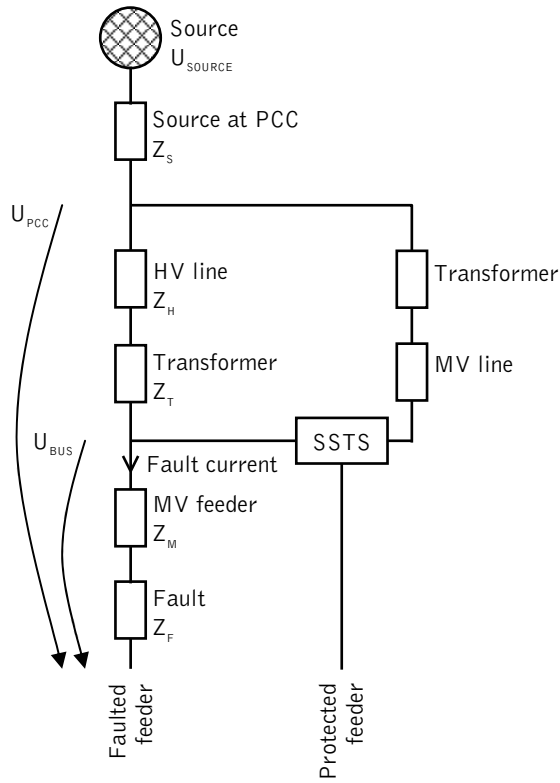


Fig. 4.6. Schematic diagram for the case where the alternate supply for the transfer switch is taken from another substation through an MV backup feeder.

In Fig. 4.7 some example numbers are calculated for a 110/21 kV system and a 25 MVA transformer. The HV conductor reactance is assumed to be 0,4 ohm/km and the lines are assumed to be connected radially from the PCC to the HV/MV transformers.

According to this calculation, the PCC short circuit current has much more relevance than the HV line length. Obtaining a high protection level requires a rather high short circuit current rating, i.e. a strong HV system.

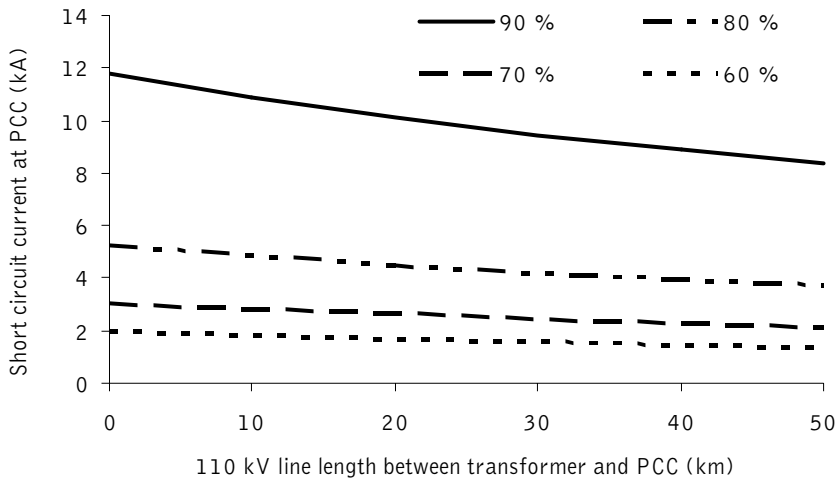


Fig. 4.7. Achieved protection level for a 25 MVA transformer as a function of PCC short circuit current and HV line length between the transformer and PCC.

4.1.2 Series power conditioner with energy storage

In cases where the transmission system is weak or a back-up supply neither exists nor is reasonable to build, a transfer switch does not necessarily provide sufficient protection against voltage sags. Something else has to be considered.

For correcting a sagged public supply, another voltage source, connected in series with the troubled one, is needed at the sensitive load. In a successfully rated system these two sources together add up to sufficient load voltage, although not necessarily 100 %.

Unlike the case of a transfer switch, the network environment is not as critical as the correct rating and compatibility with the connected load. Sufficient mitigation is usually achievable in weak power systems as well.

This technology is also available commercially. Due to the variety of brands and models, it is neither possible nor reasonable to give detailed information of their features within this publication. Some general facts about rating and performance are discussed to serve the purpose of this thesis, though.

Probably the best known name for such an application is the dynamic voltage restorer, DVR. Despite the name, all solutions consist of an inverter and a transformer used for interconnection. Injected active power is taken from a dc energy storage. The basic construction of a series connected power conditioner is shown in Fig. 4.8.

The dc energy storage is charged through a rectifier. When a sag occurs, the inverter injects a current that flows through the transformer, whose secondary winding is connected in series with the supply feeder. The transformer winding ra-

tion is selected so that the maximum inverter output current flowing through the primary side causes sufficient voltage injection on the secondary side. Each phase is controlled independently, i.e. supply unbalance is corrected as well.

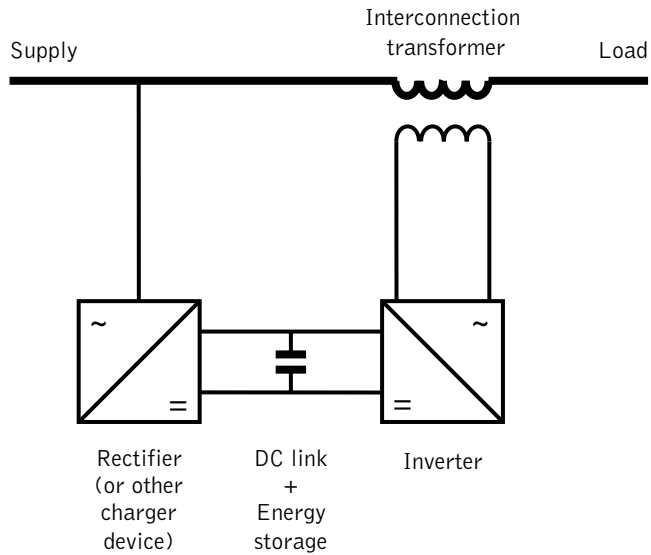


Fig. 4.8. Single-phase schematic of a series power conditioner with energy storage. Interconnection switchgear is not shown.

Depending on the load power factor, a certain amount of active and reactive power is needed for normal operation. A dynamic voltage restorer is capable of injecting both. Generating reactive power does not require stored energy whereas injected active power is taken from the dc storage. The size of the storage thus determines the available maximum time for injection. Once the supply voltage is restored back to normal the power conditioner switches to stand-by mode and the storage is recharged.

Mathematically expressed, the injection satisfies

$$\underline{U}_l = \underline{U}_s + \underline{U}_{inj} \quad (4.5)$$

where \underline{U}_l is load voltage, \underline{U}_s sagged supply voltage and \underline{U}_{inj} the voltage injected by the mitigation device. Fig. 4.9 shows an ideal case where an unbalanced three-phase sag is restored back to the balanced nominal voltage.

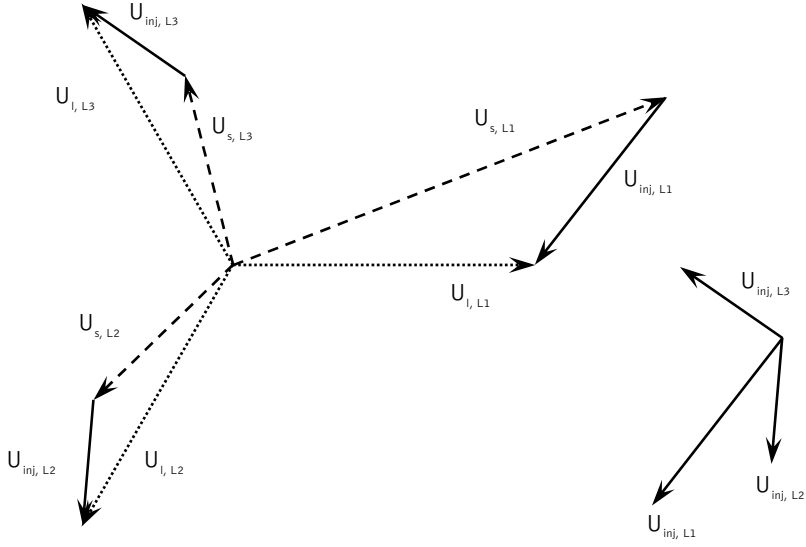


Fig. 4.9. Correction of an unbalanced 3-phase sag. The load is provided with a full, balanced voltage.

Under nominal voltage conditions the load power on each phase is

$$\underline{S}_l = \underline{U}_l \cdot \underline{I}_l^* = P_l + jQ_l \quad (4.6)$$

where \underline{I}_l is the load current, and P_l & Q_l the active and reactive power taken by the load, respectively. During a sag, when the mitigation device is active and restores the voltages back to normal, the following applies to each phase:

$$\underline{S}_l = (P + jQ)_l = (P + jQ)_s + (P + jQ)_{inj} \quad (4.7)$$

where s refers to the sagged supply quantities and inj to quantities injected by the mitigation device. Once the power conditioner is connected in series, equal current flows throughout the system:

$$\underline{I}_l = \underline{I}_s = \underline{I}_{inj} \quad (4.8)$$

Power taken from the public supply is thus

$$\underline{S}_s = P_s + jQ_s = \underline{U}_s \cdot \underline{I}_l^* \quad (4.9)$$

The mitigation device injects the remaining

$$\begin{cases} P_{inj} = P_l - P_s \\ Q_{inj} = Q_l - Q_s \end{cases} \quad (4.10)$$

where Q_{inj} is generated by the inverter and P_{inj} is taken from the energy storage, the total apparent power being

$$\underline{S}_{inj} = P_{inj} + jQ_{inj} \quad (4.11)$$

This maximum injection power is limited by the current rating of the inter-connection transformer windings and the inverter primary circuit. In addition, the energy storage size determines the maximum available active power as a function of time:

$$E_{inj} = \int_t P_{inj}(t) \cdot dt \quad (4.12)$$

Typically, due to the unpredictable duration of sags, the device control scheme is set to limit the maximum voltage injection to a certain level, in order to provide the rated protection level for the rated time. In the case of a rectangular sag this makes the protected region rectangular when expressed in U/t coordinates. See Fig. 4.10.

This is a simplification, of course. If the sag is non-rectangular, the voltage injection is real-time controlled and adjusted to provide constant load voltage at the nominal or defined ride-through level but must not, however, exceed the maximum voltage injection.

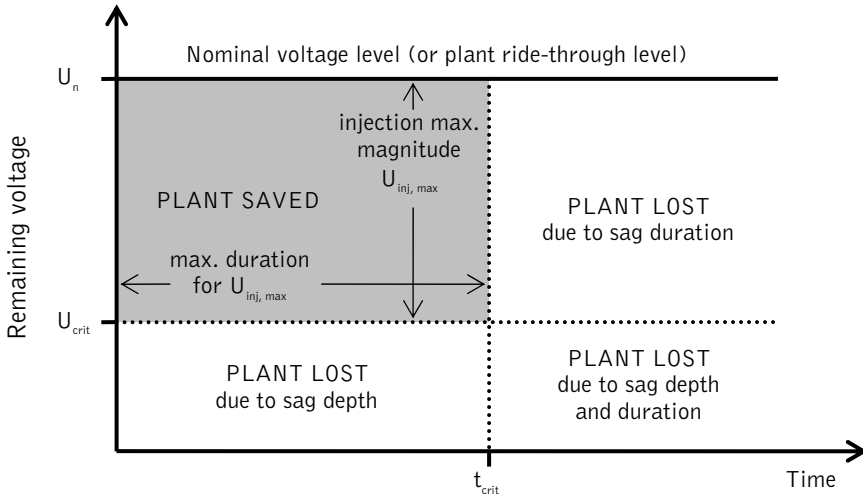


Fig. 4.10. Rating of a series power conditioner equipped with an energy storage.

In terms of Fig. 4.10 there are two major rating parameters for the device, $U_{inj,max}$ and t_{crit} . The maximum voltage injection of the inverter, $U_{inj,max}$, and the nominal (or plant ride-through) level U_n determine the critical remaining voltage during a sag, U_{crit} .

$$U_{crit} = U_n - U_{inj,max} \quad (4.13)$$

Below U_{crit} the plant cannot be saved, assuming U_n is the minimum allowable load voltage, i.e. the plant ride-through level. The inverter may be able to give full injection even though the supply voltage drops below U_{crit} . However, there typically exists a minimum input voltage limit for a series power conditioner, below which the device is disengaged. This limit is set to U_{crit} or less depending on various rating, protection and electric environment parameters.

The maximum time for full injection ($U_{inj,max}$) is t_{crit} . This is the maximum allowed sag duration in the case where the voltage sags down to U_{crit} . These two parameters, $U_{inj,max}$ and t_{crit} , are related by the required active power and further by the amount of stored energy. See Eq. 4.12.

If the injected active power P_{inj} remains constant over the observed period of time, which seldom happens in reality, t_{crit} can be expressed mathematically in general form:

$$t_{crit} = \frac{E}{P_{inj}} \quad (4.14)$$

The parameters discussed above are used for rating the device. In addition to the sags within the rated region discussed above, the power conditioner may also be capable of restoring sags lasting longer than t_{crit} . This is possible for sags less severe than U_{crit} , providing the total available amount of active power is not exceeded. Eq. 4.15 thus has to be satisfied. See also Fig. 4.11.

$$U_{inj} \cdot t \leq U_{inj,max} \cdot t_{crit} \quad \forall \quad U_{inj} \leq U_{inj,max} \quad (4.15)$$

where U_{inj} and t are the magnitude and duration of injection in this particular case and $t > t_{crit}$. The load current is considered to remain constant throughout the event. Further, Eq. 4.15 can be written

$$t \leq \frac{U_{inj,max}}{U_{inj}} \cdot t_{crit} \quad \forall \quad U_{inj} \leq U_{inj,max} \quad (4.16)$$

In the region where $U \geq U_{crit}$ and the sag duration t is longer than the limit determined by Eq. 4.16 the sags are shortened by t_{crit} . Depending on the process this may have a slight positive effect on the plant protection.

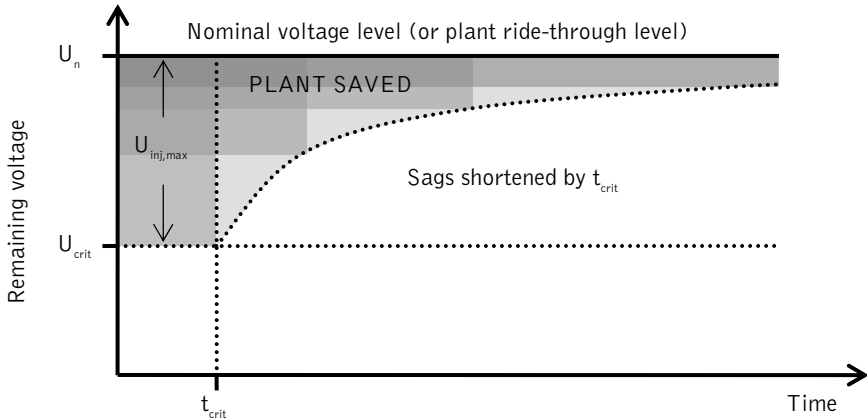


Fig. 4.11. In a case where the remaining voltage is higher than U_{crit} , the mitigation device may be capable of saving a plant against sags lasting longer than t_{crit} . The accessible amount of stored energy is the limiting factor.

The features discussed above are typically left outside rating considerations but may introduce some improvement in plant sag sensitivity as an additional benefit.

In practice, however, an individual sag may vary in magnitude and therefore this rectangular or curvilinear way of presentation is somewhat simplified. Nevertheless, for preventive measures like device rating and cost/benefit analysis of the mitigation, this is a most reasonable way.

In addition to the already discussed rating parameters, $U_{inj,max}$ and t_{crit} , there are some other quantities to consider. Total power rating (P and Q), basic insulation level and maximum let-through fault current are the most important. Physically, the multiplication of active power and time is expressed as the size of the energy storage in joules. In Fig. 4.12, the rating of a storage application is shown. No losses are considered.

The electric energy storage type has to be selected as well. Capacitors are perhaps the most used but batteries, flywheels and superconducting coils (SMES) have also been introduced. Some conventional switchgear is needed for by-pass and maintenance purposes.

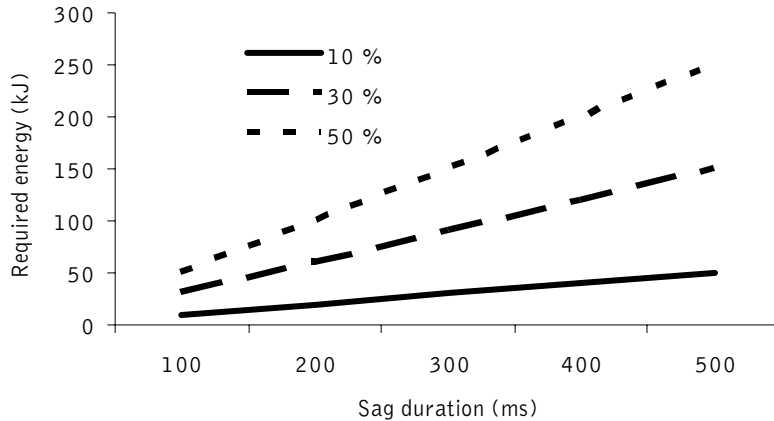


Fig. 4.12. Required net energy for restoring the full supply voltage for a 1 MVA load at three different levels of voltage injection.

4.1.3 Series power conditioner without energy storage

In areas where the distribution system is strong, stored energy is not necessarily required. The active power needed for the load voltage restoration is now taken from the public supply by increasing the current drawn from the feeding substation. See Fig. 4.13.

In this application, the rectifier module has to be controlled and rated in such a way that it is capable of supplying the maximum injected power on-line. In devices presented in Chapter 4.1.2, the rectifier typically has a lower power rating and simpler control algorithm because it is only used for charging the storage. In the case of an electromechanical storage solution, e.g. flywheel, there may not be a rectifier at all, but a motor instead.

Typically these devices are capable of providing ~ 50 % voltage injection without any time limits. In terms of Fig. 4.10, the critical remaining voltage level during a sag, U_{crit} , is determined by not only the power conditioner rating but also by the distribution system stiffness. In the case of a more severe voltage sag, a higher current is needed for the compensation, which in turn causes an even greater voltage drop. Fig 4.14 describes the features of this application.

Practically it is not reasonable to mitigate 3-phase sags having less than 50 % remaining voltage by using this application. Under unbalanced conditions one or two phases may be allowed to drop lower than this margin providing the sound one(s) remains close to nominal. Fig. 4.15 gives some idea of the viable network conditions for this application.

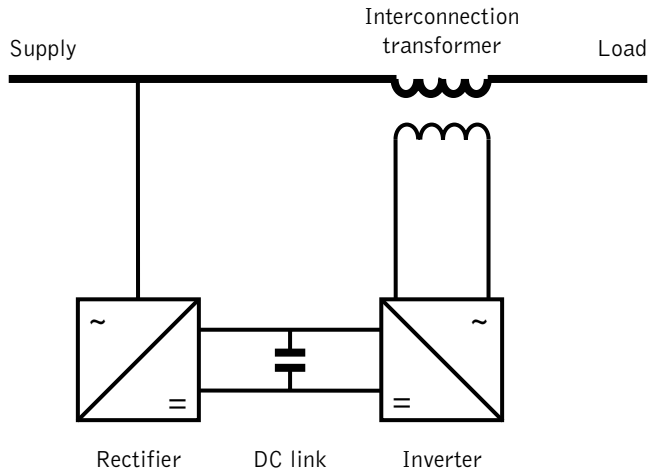


Fig. 4.13. Single phase schematics of a series power conditioner without energy storage. Interconnection switchgear is not shown. Rectifier is capable of supplying full power for the inverter on-line.

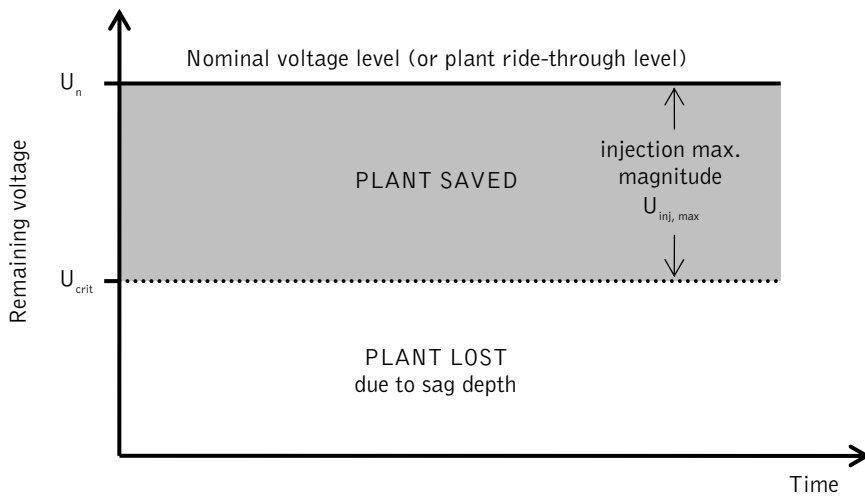


Fig. 4.14. Rating of a series power conditioner without stored energy.

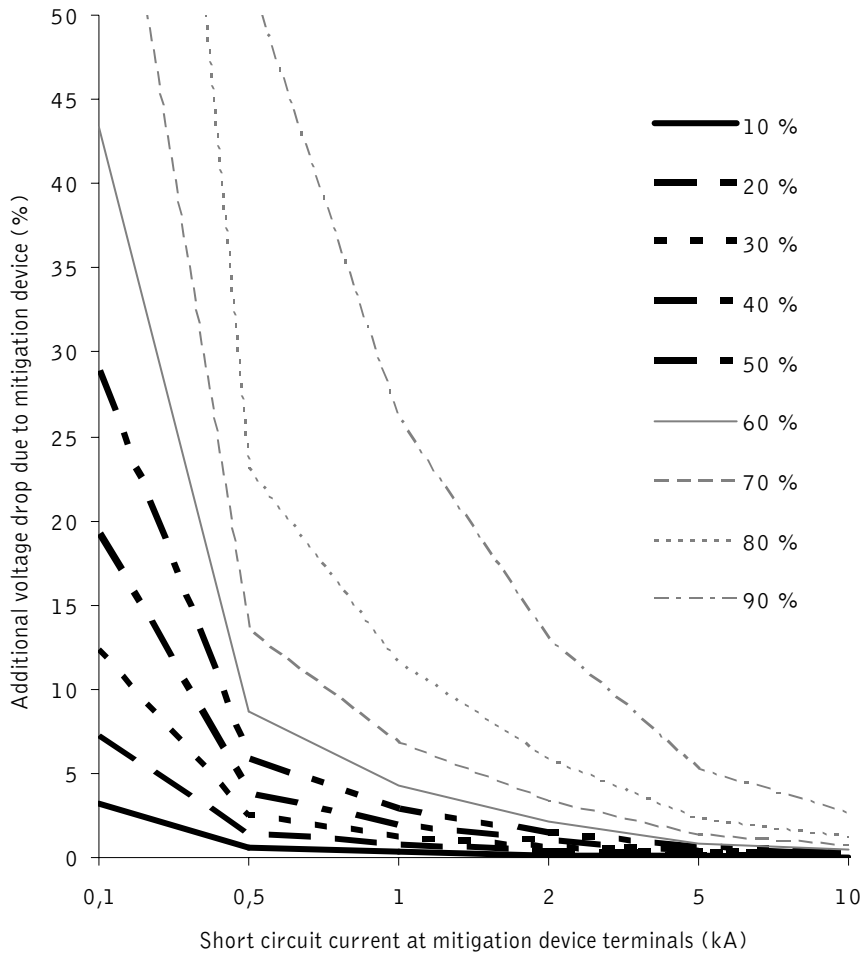


Fig. 4.15. Additional voltage drop due to a mitigation device restoring a balanced 3-phase sag at different levels of voltage injection.

As can be seen in Fig. 4.15, higher injection levels are acceptable in strong power systems only.

Another, practical reason to prohibit this is the protection relay setting and coordination. Suddenly and strongly increasing current is easily interpreted as fault current, which may cause false tripping of the feeder, and further, plant interruption. Especially careful considerations are required if multiple devices of this kind are connected to the same feeder.

4.2 Other means of mitigation

In addition to the applications presented above, the solid-state transfer switch and the series connected power conditioners, there are other means to mitigate voltage sags.

The static tap changer, uninterruptible power supply (UPS) and constant voltage transformer are capable of taking care of the voltage restoration as well. Because they are, however, from the scope of this thesis very similar in performance, no detailed discussion is presented here. They can be modelled by using the same simplified parameters as for the devices in Chapters 4.1.1 - 4.1.3.

5 PROB-A-SAG METHOD

To optimise investments, minimize inconvenience and maximize process performance in environments where voltage sags are frequent, a careful and thorough analysis is required. Process sensitivity, annual sag frequency, sag related cost and the performance of eventual mitigation equipment are the figures and factors to be considered. The most challenging task is to find a common mode for presenting all these quantities, which are inherently very different from each other.

This chapter presents a novel analysis and optimization method named *Prob-A-Sag* (Probabilistic Arrays for voltage Sag management), which successfully combines the consequences, economic significance and mitigation of voltage sags in a uniquely flexible way, also applicable to computerized processing.

The fundamentals of applied mathematics can be found, for example, in Ref. [34].

5.1 Existing methods

IEEE standard 1346-1998 “IEEE recommended practice for evaluating electric power system compatibility with electronic process equipment” [12] recommends methodology for voltage sag analysis. Assessing the annual number of power quality related disruptions and determining the process sag sensitivity are the main tasks presented. From the outcome of these two studies, a system designer or analyst should be able to evaluate the cost of compatibility between the process and power system as well as to find alternatives to correct the problems.

This application is very similar to high voltage insulation coordination. Different curves of device sensitivity and the annual sag distribution, i.e. the sag environment, are drawn and placed upon each other. Further, these coordination charts are studied, losses evaluated and the optimal solution proposed. See Fig. 5.1.

The method is illustrative and quickly gives an estimate of the prevailing situation and potential problems. However, human thinking, consideration and intervention are needed throughout the procedure. Despite the illustrative nature of its presentation, using paper and pencil and observing the drawn curves with the human eye do not comply with the requirements of an exact and up-to-date analysis method. Neither can it be used for computerized calculation.

The standard enables a rough and quick estimate of sag related problems in a power system but a thorough and precise numerical analysis for a larger industrial process is not possible. Another major disadvantage is that a probabilistic approach is not taken. Process sag sensitivity, especially in large, complicated processes, is always a probabilistic function of several variables, such as the sensitivity of a single device and its eventual random variation, as well as the device’s connection to other devices in the process. The more sag sensitive devices there are in a process, the more important it is to use probabilistic methodology.

Generally, the technical approach seems to be quite approximate whereas the analysis of the overall economic impact of a sag related plant disruption is performed in a very thorough way. Everything from idle labour to repair parts is calculated. Finally, the payback time is obtained for the money invested in corrective measures. See Fig. 5.2.

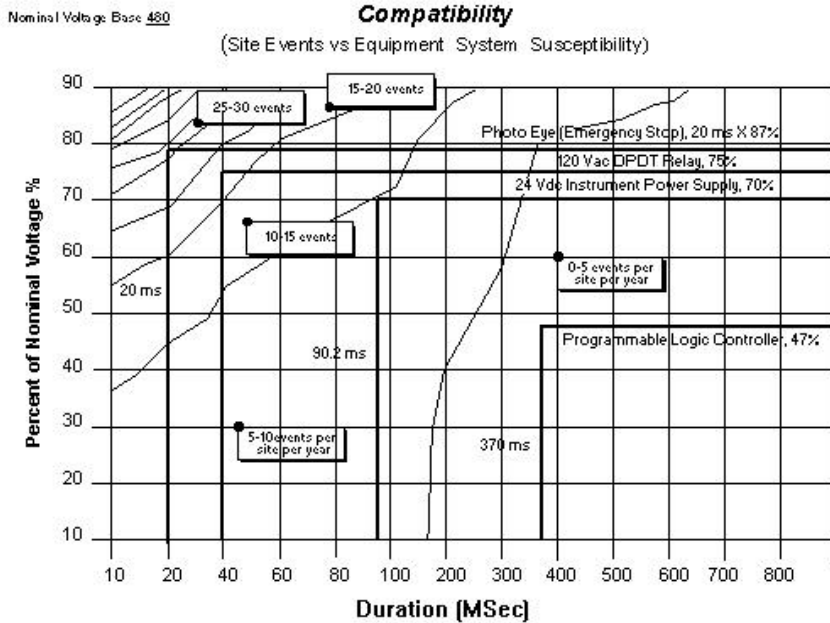


Fig. 5.1. Example of the analysis procedure recommended by IEEE Std. 1346-1998 [12, picture copied from 35].

Determine the cost of a process disruption and how to evaluate pay back.

| Investment | Return |
|--|---|
| One-time capital outlay \$ _____ | Annual benefit \$ _____ |
| + | - |
| One-time operating expenses \$ _____ | Ongoing annual expense \$ _____ |
| Net Investment \$ _____ | Net annual return \$ _____ |
| Pay back = (net investment / net annual return) * 12 = ____ Months | |

Fig. 5.2. IEEE Std 1346-1198. Calculation of pay back time [12, picture copied from 35].

This makes the procedure a good tool for business people but it is not necessarily accurate enough for power systems people. From the power systems point of view, the emphasis should be on technical and electrical analysis as much as it is on financial matters. Economic figures can be provided by either the customer or the power system analyst whereas the thorough technical analysis needs some expertise in engineering.

A search in the IEEE database reveals that most references to this standard seem to concern the device sensitivity curves, not the method itself. According to the standard the curves are, however, intended only to be examples and not to represent the typical performance of a device.

5.2 Objectives for novel method

The ambitious primary aim of this work was to develop a method for analysing the technical and economic impacts of voltage sags, including features for finding the optimised solution for a problem in any voltage sag concerned power system or process. The following conditions were to be met:

- all quantities should be presented in a uniform format
- applicable to all environments from a single customer to a complete power distribution system
- flexible accuracy from a rough estimate to exact numbers
- must allow for probabilistic processing of data
- possibility to be implemented in power system software platforms
- includes tools for investigating custom power applications and other means of mitigation

The uniform way of presenting all variables was chosen to be a 2-dimensional array. All quantities needed for the analysis can be expressed as an array which has rows for remaining voltage magnitude and columns for the duration of the sag. An example is shown in Fig. 5.3.

| | | | | | | |
|-------------------|---------|--------------|-----------|------------|------------|-----------|
| Remaining voltage | < 100 % | | | | | |
| | < 90 % | | | | | |
| | < 80 % | | | | | |
| | < 70 % | | | | | |
| | < 60 % | | | | | |
| | < 50 % | | | | | |
| | < 40 % | | | | | |
| | < 30 % | | | | | |
| | < 20 % | | | | | |
| | < 10 % | | | | | |
| | | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s |
| | | Sag duration | | | | |

Fig. 5.3. Example of an array used for presenting the variables.

Each quantity, e.g. a device sag sensitivity, is indicated by placing numbers (binary or decimal) in corresponding cells. See Fig. 5.4.

| | | | | | | |
|-------------------|---------|--------------|-----------|------------|------------|-----------|
| Remaining voltage | < 100 % | 0 | 0 | 0 | 0 | 0 |
| | < 90 % | 0 | 0 | 0 | 0 | 0 |
| | < 80 % | 0 | 0 | 0 | 0 | 0 |
| | < 70 % | 0 | 0 | 0 | 0 | 0 |
| | < 60 % | 0 | 1 | 1 | 1 | 1 |
| | < 50 % | 0 | 1 | 1 | 1 | 1 |
| | < 40 % | 0 | 1 | 1 | 1 | 1 |
| | < 30 % | 0 | 1 | 1 | 1 | 1 |
| | < 20 % | 0 | 1 | 1 | 1 | 1 |
| | < 10 % | 0 | 1 | 1 | 1 | 1 |
| | | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s |
| | | Sag duration | | | | |

Fig. 5.4. Example of a device sensitivity array. (Sag sensitivity of a personal computer, 0 = no trip, 1 = trip.)

The cells of an array are referred to in the same way as matrix entries: $A(i,j)$, where i is the row number and j identifies the column in matrix A . The uppermost cell on the left is $A(1,1)$. An example is shown in Fig. 5.5. Each entry corresponds to a cell value in a 3 x 3 array.

$$A = \begin{bmatrix} a_{1,1} & a_{1,2} & a_{1,3} \\ a_{2,1} & a_{2,2} & a_{2,3} \\ a_{3,1} & a_{3,2} & a_{3,3} \end{bmatrix}$$

Fig. 5.5. Identifying the cells of an array.

Conventional matrix notation is used for performing mathematical operations on array elements. The elements, i.e. matrix cell values, are simply used as arguments in the calculations. Both arithmetic and Boolean operations are allowed. This means of presentation also enables the probabilistic processing of data.

Only the remaining voltage and sag duration are applied here. Other features like point-on-wave, imbalance and transient energy content may be flexibly added by increasing the array dimension as needed. Although out of the scope of the present publication, this would be an excellent advance for future development of the Prob-A-Sag method. It also enables fully computerized processing of the complex data of multidimensional and multivariable arrays.

Selecting array resolution, i.e. the number of rows and columns, affects the accuracy of the analysis. If more detailed initial data and computing power are available, using larger arrays might be justified.

5.3 Processing the arrays

Let us define two arrays: device sag sensitivity array D and annual sag frequency array S. Examples are shown in Fig. 5.6 & 5.7.

| | | | | | | |
|-------------------|--------------|-----------|------------|------------|-----------|---|
| Remaining voltage | < 100 % | 0 | 0 | 0 | 0 | 0 |
| | < 90 % | 0 | 0 | 0 | 0 | 0 |
| | < 80 % | 0 | 0 | 0 | 0 | 0 |
| | < 70 % | 0 | 0 | 0 | 0 | 0 |
| | < 60 % | 0 | 0 | 0 | 0 | 0 |
| | < 50 % | 1 | 1 | 1 | 1 | 1 |
| | < 40 % | 1 | 1 | 1 | 1 | 1 |
| | < 30 % | 1 | 1 | 1 | 1 | 1 |
| | < 20 % | 1 | 1 | 1 | 1 | 1 |
| | < 10 % | 1 | 1 | 1 | 1 | 1 |
| D | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s | |
| | Sag duration | | | | | |

Fig. 5.6. Contactor sag sensitivity, 0 = no trip, 1 = trip.

This is a sample array with real case data. It simply indicates that all sags having remaining voltage less than 50 % are capable of tripping this particular contactor within all these time categories. 50 % is a typical mean value for contactor tripping, based both on our measurements and on other sources. See section 3.1.1.

| | | | | | | |
|-------------------|--------------|-----------|------------|------------|-----------|------|
| Remaining voltage | < 100 % | | 5,33 | 2,33 | 10,33 | 0,33 |
| | < 90 % | | 2 | 3,67 | 1,33 | 0,67 |
| | < 80 % | | 1,67 | 3 | 0,33 | |
| | < 70 % | | 3 | | | |
| | < 60 % | | 1 | | | |
| | < 50 % | | 0,33 | | | |
| | < 40 % | | 0,67 | | | |
| | < 30 % | | 0,33 | | | |
| | < 20 % | | | | | |
| | < 10 % | | | | | 2,00 |
| S | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s | |
| | Sag duration | | | | | |

Fig. 5.7. Annual sag frequency (number of sags per phase).

The sag frequency shown in Fig. 5.7 actually represents an annual single phase sag distribution measured at the secondary side of a Finnish 110/20 kV substation. See Fig. 2.6. A total of 39 3-phase events were recorded.

Multiplying these two quantities, sag tolerance D and sag frequency S, gives us the annual interruption frequency array, I:

$$I(i,j) = D(i,j) \cdot S(i,j) \quad \forall \quad i = 1 \dots m, j = 1 \dots n \quad (5.1)$$

where m and n are the maximum numbers of rows and columns, respectively. Array I thus indicates the annual frequency of sag related interruptions in each U-t category. Applying equation 5.1 on the arrays in Fig. 5.6 and 5.7 gives the array shown in Fig. 5.8.

Total annual number of interruptions, N, is derived from I:

$$N = \sum_{i=1}^m \sum_{j=1}^n I(i,j) \quad (5.2)$$

For the array in Fig. 5.8, N = 3,33 annual interruptions due to voltage sags.

| | | | | | | |
|-------------------|---------|--------------|-----------|------------|------------|-----------|
| Remaining voltage | < 100 % | | | | | |
| | < 90 % | | | | | |
| | < 80 % | | | | | |
| | < 70 % | | | | | |
| | < 60 % | | | | | |
| | < 50 % | | 0,33 | | | |
| | < 40 % | | 0,67 | | | |
| | < 30 % | | 0,33 | | | |
| | < 20 % | | | | | |
| | < 10 % | | | | | 2 |
| I | | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s |
| | | Sag duration | | | | |

Fig. 5.8. Annual frequency of sag related interruptions. Shaded area indicates the contactor sag sensitive region.

5.4. Probabilistic approach

In section 5.3 the contactor is assumed to have certain performance characteristics. The device is presumed to be unconditionally sensitive to sags of certain magnitude and duration. The rest of the sags are not considered harmful in any case. This gives us a device sensitivity array with binary cell values (0 or 1). The contactor either trips (1) or does not (0).

In real life, however, an individual contactor may have random variation in its tolerance. Another thing is that we may not know the characteristics of a particular device whose performance we want to assess and thus a generalised model has to be used instead. This requires application of probabilistic concepts. The device sensitivity array no longer consists of zeros and ones but may contain intermediate values indicating the probability of tripping when a sag of certain category is experienced.

Fig. 3.7 presents the measured performance of 28 contactors. A normal distribution curve is fitted to contactor test results. The probability of tripping between 75 % and 20 % of remaining voltage (IEC standard limits) is scaled to be 99,5 %. Converting the normal distribution to a cumulative one gives us one assumption of the tripping probability of any contactor. The array is shown in Fig. 5.9.

Again, annual interruption frequency is obtained by multiplying cell values in this D array with the corresponding values in the S array drawn in Fig. 5.7, according to Eq. 5.1. The resulting array is shown in Fig. 5.10.

| | | | | | | |
|-------------------|---------|--------------|-----------|------------|------------|-----------|
| Remaining voltage | < 100 % | 0,00 | 0,00 | 0,00 | 0,00 | 0,00 |
| | < 90 % | 0,00 | 0,00 | 0,00 | 0,00 | 0,00 |
| | < 80 % | 0,01 | 0,01 | 0,01 | 0,01 | 0,01 |
| | < 70 % | 0,11 | 0,11 | 0,11 | 0,11 | 0,11 |
| | < 60 % | 0,40 | 0,40 | 0,40 | 0,40 | 0,40 |
| | < 50 % | 0,77 | 0,77 | 0,77 | 0,77 | 0,77 |
| | < 40 % | 0,96 | 0,96 | 0,96 | 0,96 | 0,96 |
| | < 30 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 20 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 10 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| D | | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s |
| | | Sag duration | | | | |

Fig. 5.9. Contactor sag sensitivity. Probabilistic cell values.

| | | | | | | |
|-------------------|---------|--------------|-----------|------------|------------|-----------|
| Remaining voltage | < 100 % | | | | | |
| | < 90 % | | | | | |
| | < 80 % | | 0,02 | 0,03 | | |
| | < 70 % | | 0,33 | | | |
| | < 60 % | | 0,40 | | | |
| | < 50 % | | 0,25 | | | |
| | < 40 % | | 0,64 | | | |
| | < 30 % | | 0,33 | | | |
| | < 20 % | | | | | |
| | < 10 % | | | | | 2,00 |
| I | | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s |
| | | Sag duration | | | | |

Fig. 5.10. Annual frequency of sag related interruptions.

The total annual number of interruptions is in this case: $N = 4,01$ (Eq. 5.2). The binary sag sensitivity array in Fig. 5.8 gave a somewhat smaller value: $N = 3,33$. Probabilistic processing of data thus proved to have a strong effect on the results. In general terms, the value of N depends on the location of non-zero cell values in S and D . Typically S has larger cell values on the upper rows whereas the sensitivity arrays usually have an emphasis on deep sags. Introducing probabilistic D arrays in such cases increases N in comparison to the binary approach.

As a matter of fact, the annual sag frequency array S is also a probabilistic quantity with measured and/or simulated numbers. S indicates how many sags there are to be expected in each category annually. The more measurement data we have or

the more exhaustive the simulations that we carry out, the more generally applicable the numbers are for that particular node of the network.

5.5 Analysing a complete process

As discussed in previous sections, tripping of a single contactor or control device may interrupt a complete industrial process. However, it is supposed that other items of equipment may have their contribution as well. The larger and more complicated a process is, the more components are likely to cause problems when voltage sags occur.

Thus, it is inevitable to study the response of a complete process after determining the response of each sag sensitive component or component type. This is a complex task, impossible in some cases. For rough estimation, simple methods are suitable but to give more exact numbers, a sophisticated means of analysis is required. We need another probabilistic array.

Let the device sag sensitivity array be D_n , where n is the number of a single device ranging from 1 to the total number of devices in the process of concern. The complete process sensitivity array is named P . To retrieve P from the D arrays we need to know their role in the process. Some components are able to interrupt the process without any contribution from other devices.

Sometimes, although presumably rather seldom, the case may be that devices are linked with others, and tripping of all (or most) of them is required in order to interrupt the process. For example, there might be three pumps to maintain the vacuum in a silicon wafer oven. For redundancy, one is allowed to be out of service. However, losing two of them due to the tripping of contactors interrupts the process because the vacuum is lost.

The probability of process tripping has to be determined according to the mutual connection of sensitive devices. The following example describes the procedure. See Fig. 5.11. For the related mathematical fundamentals, see Ref. [30] or similar.

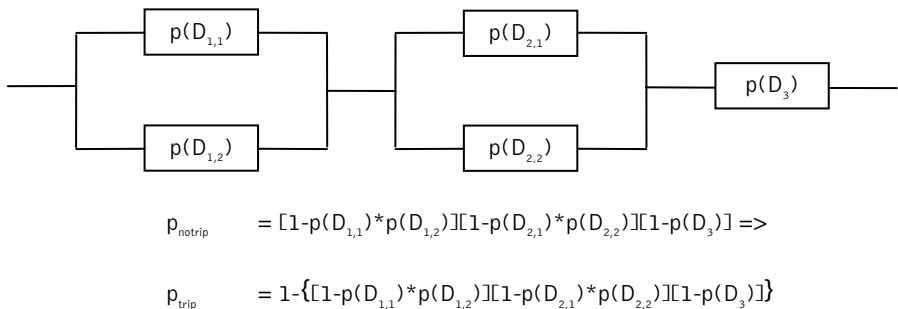


Fig. 5.11. Example of the connection of sag sensitive devices in a process. Probability of each device tripping is labelled p .

Devices $D_{1,1}$ and $D_{1,2}$ are parallel, i.e. tripping of both of them interrupts the process. $D_{2,1}$ and $D_{2,2}$ make a similar pair whereas D_3 is an independent branch. Thus tripping of either of the pairs or D_3 brings the process down.

Calculating the probability of process tripping from the device sensitivity arrays $D_{1,1}$, $D_{1,2}$, $D_{2,1}$, $D_{2,2}$, and D_3 gives us the process sensitivity array P . To any cell value of P thus applies:

$$P(i,j) = 1 - \left[(1 - D_{1,1}(i,j) \cdot D_{1,2}(i,j)) \cdot (1 - D_{2,1}(i,j) \cdot D_{2,2}(i,j)) \cdot (1 - D_3(i,j)) \right] \quad (5.3)$$

Generally written:

$$P(i,j) = 1 - \left[\prod_{k=1}^q \left[1 - \prod_{l=1}^{r_k} D_{k,l}(i,j) \right] \right] \quad \forall \quad i = 1 \dots m, j = 1 \dots n \quad (5.4)$$

where q is the number of serial connected components or component groups and r_k is the number of parallel components in each group k in terms of Fig. 5.11.

NOTE: The relationship between sensitive devices and their probabilistic connections has to be determined individually for each study case. Otherwise the calculation results in an invalid process sensitivity array.

It is essential to note that increasing the number of a sensitive component type may decrease the withstand level of the complete process significantly. This is especially important in systems where tripping of one component or a small subprocess is capable of bringing the whole plant down. The more these kind of components there are, the more possibilities there are to lose the process.

Instead of using some average or typical tolerance level for that particular equipment, we have to use the probabilistic method described above to obtain more accurate figures. Let us take Fig. 5.9 presenting contactor sag sensitivity as an example. What happens if we have 10 or 100 of these in a process and tripping of any of them will cause a process shutdown? Assuming the contactors are, in terms of Fig. 5.11, connected in series gives us a reduced form of Eq. 5.4:

$$P(i,j) = 1 - \left[(1 - D_1(i,j)) \cdot (1 - D_2(i,j)) \cdot \dots \cdot (1 - D_n(i,j)) \right] \quad (5.5)$$

In the case of n similar contactors ($D_1 = D_2 = \dots = D_n$) we can further simplify the expression:

$$P(i,j) = 1 - \left[(1 - D_1(i,j))^n \right] \quad (5.6)$$

Let D_1 be the array shown in Fig. 5.9. Process sensitivity arrays for a system of 10, 100 and 1000 similar contactors are shown in Figs. 5.12-14, respectively.

| | | | | | | |
|-------------------|--------------|-----------|------------|------------|-----------|------|
| Remaining voltage | < 100 % | 0,00 | 0,00 | 0,00 | 0,00 | 0,00 |
| | < 90 % | 0,01 | 0,01 | 0,01 | 0,01 | 0,01 |
| | < 80 % | 0,11 | 0,11 | 0,11 | 0,11 | 0,11 |
| | < 70 % | 0,67 | 0,67 | 0,67 | 0,67 | 0,67 |
| | < 60 % | 0,99 | 0,99 | 0,99 | 0,99 | 0,99 |
| | < 50 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 40 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 30 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 20 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 10 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| P | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s | |
| | Sag duration | | | | | |

Fig. 5.12. Process sag sensitivity for a system of 10 similar contactors. Each of the contactors is capable of interrupting the process.

| | | | | | | |
|-------------------|--------------|-----------|------------|------------|-----------|------|
| Remaining voltage | < 100 % | 0,00 | 0,00 | 0,00 | 0,00 | 0,00 |
| | < 90 % | 0,05 | 0,05 | 0,05 | 0,05 | 0,05 |
| | < 80 % | 0,70 | 0,70 | 0,70 | 0,70 | 0,70 |
| | < 70 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 60 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 50 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 40 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 30 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 20 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 10 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| P | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s | |
| | Sag duration | | | | | |

Fig. 5.13. Process sag sensitivity for a system of 100 similar contactors.

Fig. 5.15 shows the corresponding tripping probability curves for a single contactor and for processes with 10, 100 and 1000 similar (or average) contactors. For simplicity only sag magnitude is considered here, duration is irrelevant in this case.

Let us consider the following question: How deep a sag causes the process to trip at a probability level of 90 %? In Fig. 5.15 we obtain the answers. For a single contactor system the critical sag depth is 40 %. For 10, 100 and 1000 contactor systems we get 55 %, 65 % and 75 %, respectively.

This example shows clearly that the number of (similar) sensitive devices as well as their mutual connection has to be taken into account. Probabilistic process-

ing of the sensitivity data is obviously needed, especially in the case of large and complicated processes.

| | | | | | | |
|-------------------|--------------|-----------|------------|------------|-----------|------|
| Remaining voltage | < 100 % | 0,01 | 0,01 | 0,01 | 0,01 | 0,01 |
| | < 90 % | 0,43 | 0,43 | 0,43 | 0,43 | 0,43 |
| | < 80 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 70 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 60 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 50 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 40 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 30 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 20 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 10 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| P | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s | |
| | Sag duration | | | | | |

Fig. 5.14. Process sag sensitivity for a system of 1000 similar contactors.

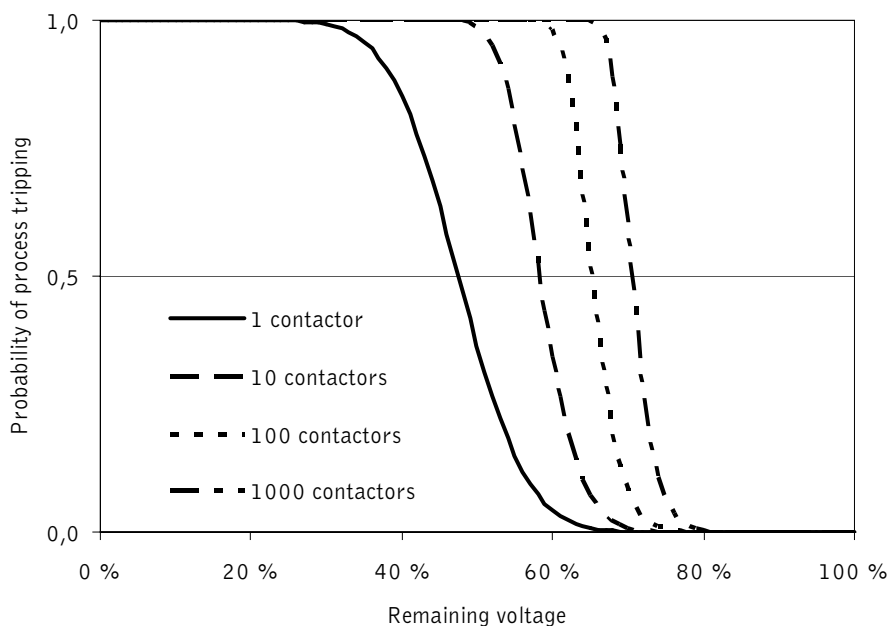


Fig. 5.15. Probability of interruption for processes with 1, 10, 100 and 1000 contactors. Each of the contactors is capable of interrupting the process.

Having now defined the process sag sensitivity array P, it is time to refine Eq. 5.1, and array I, to cover the complete process instead of a single device. Thus:

$$I(i,j) = P(i,j) \cdot S(i,j) \quad \forall \quad i=1\dots m, j=1\dots n \quad (5.7)$$

Equation 5.2 is still valid for calculating the total number of sag related interruptions, N. Combining Eqs. 5.2, 5.4 & 5.7 give:

$$N = \sum_{i=1}^m \sum_{j=1}^n \left(\left[1 - \left[\prod_{k=1}^q \left[1 - \prod_{l=1}^{r_k} D_{k,l}(i,j) \right] \right] \right] \cdot S(i,j) \right) \quad (5.8)$$

For the arrays in Figs. 5.12-14, N equals 6,96, 11,21 and 15,81 annual events, respectively, when applying the sag frequency array in Fig. 5.7. Compare these figures with those corresponding to a single contactor, 3,33 (binary sensitivity array, Ch. 5.3) and 4,01 (probabilistic sensitivity array, Ch. 5.4). Increasing the contactor number from 1 to 1000 thus increases the process sag related shutdown rate remarkably. The data is collected in Table 5.1.

Table 5.1. Annual number of sag related interruptions in systems of 1, 10, 100 and 1000 contactors.

| | Annual number of sag related interruptions |
|---|--|
| 1 contactor, non-probabilistic sensitivity data | 3,33 |
| 1 contactor, probabilistic sensitivity data | 4,01 |
| 10 contactors, probabilistic sensitivity data | 6,96 |
| 100 contactors, probabilistic sensitivity data | 11,21 |
| 1000 contactors, probabilistic sensitivity data | 15,81 |

5.6 Cost assessment

Linking sag cost assessment to technical sag management is challenging but not impossible. This task was also one of the primary aims in developing the array based Prob-A-Sag method.

In most cases assigning a fixed sum of money to represent the cost of plant interruption is well accepted and gives accurate enough results. Let E be the event cost of a single sag related interruption and C the total annual sag related cost. For C we can write:

$$C = N \cdot E \quad (5.9)$$

This approach considers all sags to be of equal inconvenience and to cause equal economic losses. If we nevertheless want to emphasize the harmfulness of sags with certain quantities, it is possible by expressing E as an array instead of using a scalar number.

As discussed in Section 3.2, the partial shutdown or halt of a sub-process is often more difficult and more expensive to restore than a total blackout. According to Ref. [30], a voltage sag (50 %, 200 ms) causes roughly 1,5 times higher economic losses than a total interruption lasting one second. Based on this information we can construct a *weighted event cost array* E. See Fig. 5.16.

| | | | | | | |
|-------------------|---------|--------------|-----------|------------|------------|-----------|
| Remaining voltage | < 100 % | 10 | 10 | 10 | 10 | 10 |
| | < 90 % | 10 | 10 | 10 | 10 | 10 |
| | < 80 % | 10 | 10 | 10 | 10 | 10 |
| | < 70 % | 13 | 13 | 13 | 13 | 13 |
| | < 60 % | 15 | 15 | 15 | 15 | 15 |
| | < 50 % | 13 | 13 | 13 | 13 | 13 |
| | < 40 % | 12 | 12 | 12 | 12 | 12 |
| | < 30 % | 10 | 10 | 10 | 10 | 10 |
| | < 20 % | 10 | 10 | 10 | 10 | 10 |
| | < 10 % | 10 | 10 | 10 | 10 | 10 |
| E | | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s |
| | | Sag duration | | | | |

Fig. 5.16. An example of a *weighted event cost array* E (k€/event).

In the example, an outage is assessed to be worth 10 000 €. However, a sag having 50 % remaining voltage would cause more trouble at the plant and, further, a higher interruption cost, 15 000 € in this case.

NOTE: This procedure needs one feedforward loop from the technical analysis of the process. By taking a look back at the previously prepared process sensitivity array P, we can consider whether there are some sag categories that need to be emphasized in the event cost array E. Desired categories may be purposely de-rated as well, by using values less than the regular or standard cost.

In a case where the fixed amount per event is preferred for all sag quantities, equal value is added to each of the array cells, as in Fig. 5.17.

| | | | | | | |
|-------------------|--------------|-----------|------------|------------|-----------|----|
| Remaining voltage | < 100 % | 10 | 10 | 10 | 10 | 10 |
| | < 90 % | 10 | 10 | 10 | 10 | 10 |
| | < 80 % | 10 | 10 | 10 | 10 | 10 |
| | < 70 % | 10 | 10 | 10 | 10 | 10 |
| | < 60 % | 10 | 10 | 10 | 10 | 10 |
| | < 50 % | 10 | 10 | 10 | 10 | 10 |
| | < 40 % | 10 | 10 | 10 | 10 | 10 |
| | < 30 % | 10 | 10 | 10 | 10 | 10 |
| | < 20 % | 10 | 10 | 10 | 10 | 10 |
| | < 10 % | 10 | 10 | 10 | 10 | 10 |
| E | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s | |
| | Sag duration | | | | | |

Fig. 5.17. An example of a non-weighted event cost array E (k€/event).

As we now have the means to combine economic quantities with the technical sensitivity analysis, it is time to assess the total sag related cost per year, C . Expressing E as an array leads to the fact that we can no longer use Eq. 5.9, but must use Eq. 5.10 instead:

$$C = \sum_{i=1}^m \sum_{j=1}^n [I(i,j) \cdot E(i,j)] \quad (5.10)$$

Further, combining Eq. 5.4, 5.7 & 5.10 gives:

$$C = \sum_{i=1}^m \sum_{j=1}^n \left(\left[1 - \left[\prod_{k=1}^q \left[1 - \prod_{l=1}^{k_k} D_{k,l}(i,j) \right] \right] \right] \cdot S(i,j) \cdot E(i,j) \right) \quad (5.11)$$

This equation gives the annual sag related cost for a process, sub-process, plant or whatsoever unit is considered. Using the example arrays in Figs. 5.7 & 5.12-14 and the E arrays shown in Figs. 5.16-17 gives the total annual cost for the example systems. See Table 5.2. Fig. 5.18 shows the obtained numbers as a chart.

Table 5.2. Annual sag related cost in systems of 1, 10, 100 and 1000 contactors (€).

| | Annual sag related cost, weighted cost array | Annual sag related cost, non-weighted cost array |
|---|--|--|
| 1 contactor, non-probabilistic sensitivity data | 35 600 | 33 300 |
| 1 contactor, probabilistic sensitivity data | 45 100 | 40 000 |
| 10 contactors, probabilistic sensitivity data | 82 900 | 69 600 |
| 100 contactors, probabilistic sensitivity data | 128 500 | 112 100 |
| 1000 contactors, probabilistic sensitivity data | 174 400 | 158 100 |

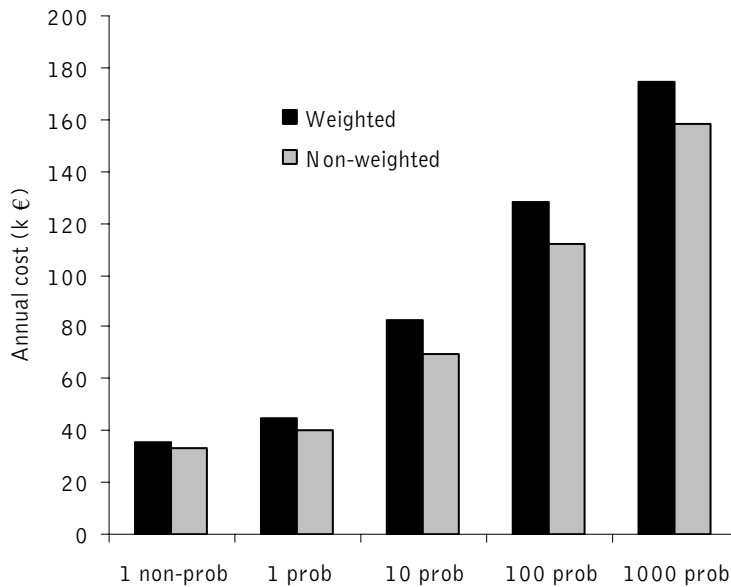


Fig. 5.18. Annual sag related cost for the example contactor systems (k€).

5.7 Mitigation devices

In the case where a mitigation device is present in a sag sensitive power system, its effect on the sag distribution needs to be considered. In terms of the Prob-A-Sag method, the mitigation device filters the sag frequency array S into the *restored sag frequency array*, R . See Fig. 5.19.



Fig. 5.19. Effect of a mitigation device on annual sag frequency array S .

Depending on the equipment type, the transformation from S to R array is different. Let us first consider the most complicated one: an inverter based series power conditioner with energy storage.

Within its operating region, a series connected power conditioner transfers sags in any non-zero cell of an S array to the nominal voltage (or plant ride-through) level, thus causing the corresponding cells to be empty in array R . In a region where the device is not capable of operating, the cell values do not change.

As discussed in Chapter 4.1.2, the equipment is effective not only where the rating parameters apply ($U \geq U_{crit}$, $t \leq t_{crit}$) but also for longer sags, as long as the energy storage capacity is sufficient. This is relevant providing

$$(U_n - U_i^-) \cdot t_j^+ \leq U_{inj,max} \cdot t_{crit} \quad \forall \quad U_i^- \geq U_{crit} \quad (5.12)$$

where U_i^- refers to the lower limit of voltage category i and t_j^+ to the upper limit of time category j . Further

$$U_i^- \geq U_n - U_{inj,max} \cdot \frac{t_{crit}}{t_j^+} \quad \forall \quad U_i^- \geq U_{crit} \quad (5.13)$$

Fig. 5.20 gives an example.

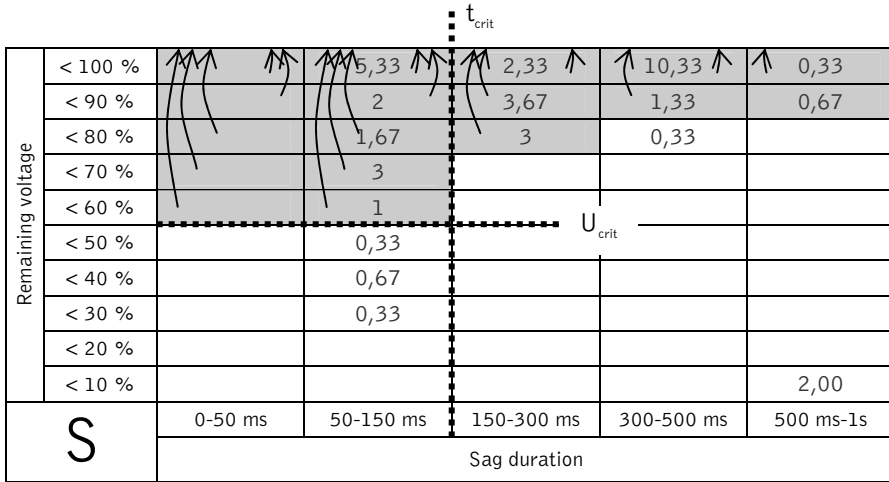


Fig. 5.20. The effect of a series connected power conditioner with energy storage on sag frequency array S.

Mathematically, R array cell values satisfy

$$R(i,j) = \begin{cases} 0 & \forall i,j \ni U_i^- \geq U_{crit} \wedge U_i^- \geq U_n - U_{inj,max} \cdot \frac{t_{crit}}{t_j^+} \\ S(i,j) & \forall i,j \ni U_{crit} \leq U_i^- < U_n - U_{inj,max} \cdot \frac{t_{crit}}{t_j^+} \\ S(i,j) & \forall i,j \ni U_i^- < U_{crit} \end{cases} \quad (5.14)$$

The first condition represents the shaded area in Fig. 4.11 and 5.20, the second refers to the non-shaded area above U_{crit} , whereas the third row is for sags deeper than the critical voltage.

For simplification, the shortening of sags due to the conditioner is ignored here. It has only a negligible effect on the annual number of plant interruptions, if any. This simplified way of modelling and presenting this device category is assumed to be accurate enough for most practical cases and applications of the Prob-A-Sag method. However, a more detailed and substantially more complicated model is presented in Appendix A.

Substituting S in Fig. 5.20 to Eq. 5.14 gives the R array shown in Fig. 5.21.

| | | | | | | |
|-------------------|--------------|-----------|------------|------------|-----------|------|
| Remaining voltage | < 100 % | | 0,00 | 0,00 | 0,00 | 0,00 |
| | < 90 % | | 0,00 | 0,00 | 0,00 | 0,67 |
| | < 80 % | | 0,00 | 0,00 | 0,33 | |
| | < 70 % | | 0,00 | | | |
| | < 60 % | | 0,00 | | | |
| | < 50 % | | 0,33 | | | |
| | < 40 % | | 0,67 | | | |
| | < 30 % | | 0,33 | | | |
| | < 20 % | | | | | |
| | < 10 % | | | | | 2,00 |
| R | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s | |
| | Sag duration | | | | | |

Fig. 5.21. Restored sag frequency array R in the case of a series connected power conditioner with energy storage. The shaded area shows where the conditioner is active.

Another inverter based custom power device is the series conditioner without energy storage. With such equipment there is no time limit for successful mitigation. Thus only U_{crit} needs to be considered. Let us have an example:

| | | | | | | |
|-------------------|--------------|-----------|------------|------------|-----------|-------|
| Remaining voltage | < 100 % | | 5,33 | 2,33 | 10,33 | 10,33 |
| | < 90 % | | 2 | 3,67 | 1,33 | 0,67 |
| | < 80 % | | 1,67 | 3 | 0,33 | |
| | < 70 % | | 3 | | | |
| | < 60 % | | 1 | | | |
| | < 50 % | | 0,33 | | | |
| | < 40 % | | 0,67 | | | |
| | < 30 % | | 0,33 | | | |
| | < 20 % | | | | | |
| | < 10 % | | | | | 2,00 |
| S | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s | |
| | Sag duration | | | | | |

Fig. 5.22. Effect of a series connected power conditioner without energy storage on sag frequency array S.

The mathematics for the restored sag frequency array:

$$R(i,j) = \begin{cases} 0 & \forall i,j \ni U_i^- \geq U_{crit} \\ S(i,j) & \forall i,j \ni U_i^- < U_{crit} \end{cases} \quad (5.15)$$

And further, the example array itself, drawn in Fig. 5.23.

| | | | | | | |
|-------------------|---------|--------------|-----------|------------|------------|-----------|
| Remaining voltage | < 100 % | | 0,00 | 0,00 | 0,00 | 0,00 |
| | < 90 % | | 0,00 | 0,00 | 0,00 | 0,00 |
| | < 80 % | | 0,00 | 0,00 | 0,00 | |
| | < 70 % | | 0,00 | | | |
| | < 60 % | | 0,00 | | | |
| | < 50 % | | 0,33 | | | |
| | < 40 % | | 0,67 | | | |
| | < 30 % | | 0,33 | | | |
| | < 20 % | | | | | |
| | < 10 % | | | | | 2,00 |
| R | | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s |
| | | Sag duration | | | | |

Fig. 5.23. Restored sag frequency array R in the case of a series connected power conditioner without energy storage. The shaded area shows where the conditioner is active.

The third application, mentioned in Chapter 4.1.1, is the static transfer switch. The viability of this application depends strongly on the independence of the alternate supply. Typically this supply and the primary one have a point of common coupling (PCC) somewhere upstream in the system.

For MV faults occurring downstream from the power station that acts as the primary supply, the voltage at the backup supply can be calculated by using the impedance ratios over the fault current path. However, sags penetrating from upstream (HV system faults) may momentarily reduce the voltage at each of the supplies. This drop may be equal in both, or may vary according to the fault location at higher voltage levels.

Our sag distribution array does not contain information about the origin of sags or the location of the faults causing them. It is thus not reasonable to give equations for creating the R array. Instead, studying the network conditions on-site, separately for each case, gives us enough knowledge to establish a proper restored sag distribution array for that particular plant and custom power solution.

We can nevertheless take a simplified example of the effect of this device type. Let us assume the most optimistic conditions: the alternate supply is fully independent of the primary one. Thus all sags are restored to nominal without any time limitations. This gives us an excellent looking R array. See Fig. 5.24.

This seems to save the plant or sensitive equipment against any voltage sag as long as the alternate supply remains nominal. However, this is an ideal case, seldom obtained in real power systems. In small scale systems, an uninterruptible power supply (UPS) may provide such protection against sags. Their energy storage

is typically rated for full voltage injection for several minutes, or even hours. This protects the load in an extremely efficient way. Thus the example R array presented below for an ideal transfer switch application applies fully to a UPS as well.

| | | | | | | |
|-------------------|---------|--------------|-----------|------------|------------|-----------|
| Remaining voltage | < 100 % | | 0,00 | 0,00 | 0,00 | 0,00 |
| | < 90 % | | 0,00 | 0,00 | 0,00 | 0,00 |
| | < 80 % | | 0,00 | 0,00 | 0,00 | |
| | < 70 % | | 0,00 | | | |
| | < 60 % | | 0,00 | | | |
| | < 50 % | | 0,00 | | | |
| | < 40 % | | 0,00 | | | |
| | < 30 % | | 0,00 | | | |
| | < 20 % | | | | | |
| | < 10 % | | | | | 0,00 |
| R | | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s |
| | | Sag duration | | | | |

Fig. 5.24. Restored sag frequency array R in the case of a static transfer switch in an ideal case. Shading of the complete array shows that the equipment is effective in all categories.

These examples are not meant to be comprehensive nor exhaustive but to illustrate the main principles for generating R arrays. Simple examples are easier to understand, and in most cases are accurate enough for the analysis. The more accuracy we want, the more complicated and difficult to understand the mathematical expressions tend to become, instead of being self-explanatory and compact. Thus the more conditions there are for modelling the performance of a studied device, the more reasonable it is to generate the R array manually by editing the prevailing sag frequency S.

The effect of a mitigation application is certainly worth assessing. Investment cost, on-site network environment and the features of the sensitive load to be protected dictate the optimal solution. Mathematically the assessment proceeds as in Eq. 5.11. Now R is used instead of S:

$$C = \sum_{i=1}^m \sum_{j=1}^n \left(\left[1 - \left[\prod_{k=1}^q \left[1 - \prod_{l=1}^{k_l} D_{k_l}(i,j) \right] \right] \right] \cdot R(i,j) \cdot E(i,j) \right) \quad (5.16)$$

Substituting the two mitigation examples presented in Fig. 5.21 & 5.23 and adding to the probabilistic figures in Table 5.2 gives the following numbers:

Table 5.3. Annual sag related cost in systems of 1, 10, 100 and 1000 contactors for two different mitigation applications (€).

| | Annual sag related cost, non-weighted cost array, no mitigation | Annual sag related cost, non-weighted cost array, series power conditioner with energy storage | Annual sag related cost, non-weighted cost array, series power conditioner without energy storage |
|---|---|--|---|
| 1 contactor, probabilistic sensitivity data | 40 000 | 32 300 | 32 300 |
| 10 contactors, probabilistic sensitivity data | 69 600 | 33 700 | 33 300 |
| 100 contactors, probabilistic sensitivity data | 112 100 | 35 900 | 33 300 |
| 1000 contactors, probabilistic sensitivity data | 158 100 | 39 500 | 33 300 |

Table 5.3 does not provide a general comparison of the various mitigation means. The figures merely represent two examples from the wide product range and rating possibilities. The annual sag distribution, process sensitivity and single event cost numbers are also examples, not generalized data.

Nevertheless, we can assume from Table 5.3 that one solution is better than another. Here the series conditioner is the most cost-effective. In weak systems the equipment with stored energy, rated at higher maximum injection, might prove to be significantly better. In absolute terms, the transfer switch application in Fig. 5.24 would give the best results because an optimal network environment was assumed. Total cost would be zero on all rows. Such conditions are seldom attainable, however.

Another interesting observation is that increasing the number of sensitive devices makes the mitigation device much more profitable. This is mostly due to the example sag distribution and process sensitivity used here. However, the example utilises real data, acquired from real measurements. Using a distribution that has more deep sags might change the case.

Comparing the results of the Prob-A-Sag method as in Table 5.3 directly gives an estimate of the most optimal solution and rating for each particular case.

5.8. Summary

The chapters above outline the basics of the array based, probabilistic voltage sag management method, Prob-A-Sag. Gathering all proposed arrays and quantities in one figure helps us to understand the procedure. See Fig. 5.25.

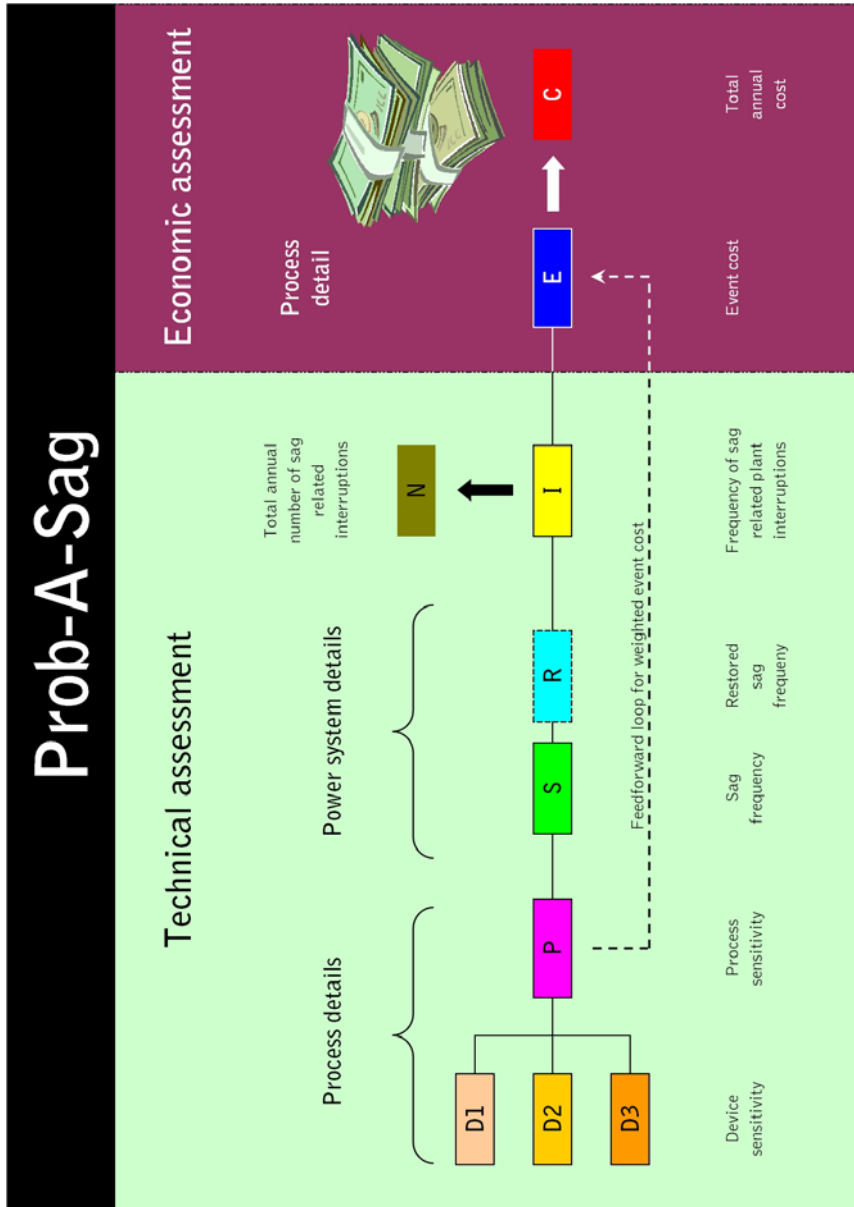


Fig. 5.25. Prob-A-Sag method.

Table 5.4 sums up the mathematically exact definitions of the quantities introduced in the Prob-A-Sag method.

Table 5.4. Summary of mathematical definition of quantities in order of appearance.

| Symbol | Type - (A)rray (S)calar | Arguments - (B)inary (R)eal | Allowed values | Description |
|--------|----------------------------------|--------------------------------------|----------------|--|
| D(i,j) | A | B or R | 0...1 | (Relative) probability of a device disconnection or malfunction due to voltage sags, 0 equals 0 % and 1 represents 100 % probability |
| S(i,j) | A | R | 0...∞ | (Absolute) frequency of voltage sags, number of sags per year per U/t category |
| I(i,j) | A | R | 0...∞ | (Absolute) frequency of voltage sag oriented plant interruptions, number of interruptions per year per U/t category |
| N | S | R | 0...∞ | (Absolute) number of voltage sag oriented plant interruptions per year |
| P(i,j) | A | B or R | 0...1 | (Relative) probability of process interruption or malfunction due to voltage sags, 0 equals 0 % and 1 represents 100 % probability |
| E(i,j) | A | R | 0...∞ | (Absolute) cost of one sag oriented interruption, currency units per sag per year per U/t category |
| C | S | R | 0...∞ | (Absolute) voltage sag oriented cost, currency units per year |
| R(i,j) | A | R | 0...∞ | (Absolute) frequency of voltage sags downstream a mitigation device, number of sags per year per U/t category |

6 APPLICATION EXAMPLES

This chapter introduces two examples to show the use of the Prob-A-Sag method. The objective is to illustrate the procedure as well as to prove the applicability and advantages of the method. Calculations are based on existing facts. However, due to the lack of some pieces of information, data from several processes, customers and network conditions are combined in order to provide presentable and illustrative examples.

6.1 Example I

The first study case is a manufacturer of integrated circuits (IC). An ion implanter was analyzed. Ion irradiation, or ion implantation in other words, is a standard processing technology in modern semiconductor device fabrication. An ion beam implanter is used to alter the near-surface properties of semiconductor materials. Typical machines used in the manufacture of electronic devices use beam energies from 2 keV up to 2 MeV.

Such a process is a complicated combination of electricity, including high voltage, chemicals in both gas and liquid form as well as high temperature plasma, heavy rotating parts with high momentum, and vacuum chambers. To get proper results, i.e. high quality layers on silicon wafers, all the above mentioned elements need to be continuously controlled, monitored and maintained.

Unintended tripping of any part of the control or power supply equipment results in process shutdown. In the worst case this would lead to severe mechanical damage inside the machine, due to the uncontrolled motion of the rotating arms that hold the wafers. Thus the process needs to be properly run down, checked, eventually cleaned and started again. An auto-recovery procedure is not allowed.

The studied implanter has several components that are considered problematic from the voltage sag point of view. Total power consumption is 70 kVA, the supply voltage being 110 volts. This results in currents of tens of amps in the main circuits. Contactors are widely used both for connecting and disconnecting these currents and for controlling the complicated process. Most of them are capable of bringing the system down by just being disengaged for a short while during a voltage sag. Another potential source of problems is the computer integrated into the equipment and used for controlling the process. A halt or an unintended boot of the computer inevitably leads to process shutdown, loss of process status data and, in the worst case, equipment damage as described above. The details described above connect our calculation example to reality.

Let us evaluate an ion implanter that has 5 contactors, each of which is capable of interrupting the process. In addition to these there is also a computer, sensitive to sags and critical in terms of process ride-through as well. For the contactors we

use probabilistic sensitivity, described in Fig. 5.9. The computer is assumed to be F-02, in terms of Fig. 3.11.

Let the contactor and PC sensitivity arrays be D_1 and D_2 , respectively. D_1 is shown in Fig. 5.9 and D_2 is generated in Fig. 6.1.

| | | | | | | |
|-------------------|--------------|-----------|------------|------------|-----------|---|
| Remaining voltage | < 100 % | 0 | 0 | 0 | 0 | 0 |
| | < 90 % | 0 | 0 | 0 | 0 | 0 |
| | < 80 % | 0 | 0 | 0 | 0 | 0 |
| | < 70 % | 0 | 1 | 1 | 1 | 1 |
| | < 60 % | 0 | 1 | 1 | 1 | 1 |
| | < 50 % | 0 | 1 | 1 | 1 | 1 |
| | < 40 % | 0 | 1 | 1 | 1 | 1 |
| | < 30 % | 0 | 1 | 1 | 1 | 1 |
| | < 20 % | 0 | 1 | 1 | 1 | 1 |
| | < 10 % | 0 | 1 | 1 | 1 | 1 |
| D_2 | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s | |
| | Sag duration | | | | | |

Fig. 6.1. Device sensitivity array for personal computer.

Applying Eq. 5.5 gives us the process sensitivity P:

$$P(i,j) = 1 - \{ [1 - D_1(i,j)]^5 \cdot [1 - D_2(i,j)] \} \quad (6.1)$$

The corresponding P array is calculated in Fig. 6.2.

| | | | | | | |
|-------------------|--------------|-----------|------------|------------|-----------|------|
| Remaining voltage | < 100 % | 0,00 | 0,00 | 0,00 | 0,00 | 0,00 |
| | < 90 % | 0,00 | 0,00 | 0,00 | 0,00 | 0,00 |
| | < 80 % | 0,05 | 0,05 | 0,05 | 0,05 | 0,05 |
| | < 70 % | 0,44 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 60 % | 0,92 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 50 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 40 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 30 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 20 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| | < 10 % | 1,00 | 1,00 | 1,00 | 1,00 | 1,00 |
| P | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s | |
| | Sag duration | | | | | |

Fig. 6.2. Process sensitivity array.

For the annual sag frequency we use the array in Fig. 5.7. Multiplying P and S cell by cell results in the interruption frequency array shown in Fig. 6.3.

| | | | | | | |
|-------------------|--------------|-----------|------------|------------|-----------|------|
| Remaining voltage | < 100 % | 0,00 | 0,00 | 0,00 | 0,00 | 0,00 |
| | < 90 % | 0,00 | 0,00 | 0,00 | 0,00 | 0,00 |
| | < 80 % | 0,00 | 0,08 | 0,15 | 0,02 | 0,00 |
| | < 70 % | 0,00 | 3,00 | 0,00 | 0,00 | 0,00 |
| | < 60 % | 0,00 | 1,00 | 0,00 | 0,00 | 0,00 |
| | < 50 % | 0,00 | 0,33 | 0,00 | 0,00 | 0,00 |
| | < 40 % | 0,00 | 0,67 | 0,00 | 0,00 | 0,00 |
| | < 30 % | 0,00 | 0,33 | 0,00 | 0,00 | 0,00 |
| | < 20 % | 0,00 | 0,00 | 0,00 | 0,00 | 0,00 |
| | < 10 % | 0,00 | 0,00 | 0,00 | 0,00 | 2,00 |
| I | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s | |
| | Sag duration | | | | | |

Fig. 6.3. Annual frequency of sag related interruptions.

Summation of the cell values in Fig. 6.3 gives $N = 7,6$. Supplying the process computer through a UPS would in this case reduce the number of interruptions to 5,8. If we would like to further improve the process ride-through capabilities, we could equip the contactors with intelligent control modules. They both distinguish sags from outages that require immediate tripping, and provide a sustained control voltage if a sag is detected. Only the control (coil) voltage is backed up and thus the control module energy storage can be rated rather small.

Further, the investment is also negligible compared to the case where we had to protect the total power demand of the primary circuits (70 kVA). Rating the control modules for 500 ms backup gives us $N = 2$. Increasing the value to 1 second would completely eliminate the sag related interruptions. However, allowing such a delay in equipment disconnection has to be carefully evaluated from the protection point of view to avoid damages.

6.2 Example II

This study case was founded on an Austrian master's thesis analyzing the voltage sag issues of an industrial customer [36]. There was absolutely no intention to re-calculate that particular process and its details but merely to utilize some of the rarely available data provided in the study. Key parameters, such as process sensitivity, annual sag frequency and event cost figures were drawn from the tables in the thesis. This provides excellent data for a study case since it was based on real measurements recorded on-site. The total power requirement of the facility was

mentioned to be 20 MVA. However, no further details concerning the considered company or process were given, nor needed.

The distribution of a total of 61 measured voltage sags is shown in Fig. 6.4. The magnitude and duration categories are selected according to the examples in Ch. 5. Numbers are considered to be annual totals although the measurement period was, in fact, somewhat longer.

| | | | | | | |
|-------------------|---------|--------------|-----------|------------|------------|-----------|
| Remaining voltage | < 100 % | | 4 | 1 | | |
| | < 90 % | | 9 | 1 | 2 | 2 |
| | < 80 % | | 9 | 6 | 11 | 1 |
| | < 70 % | | 1 | 2 | | 1 |
| | < 60 % | | 1 | | 2 | |
| | < 50 % | | 1 | | 1 | 2 |
| | < 40 % | | | | 1 | |
| | < 30 % | | | | | |
| | < 20 % | | 1 | | | |
| | < 10 % | | | 2 | | |
| S | | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s |
| | | Sag duration | | | | |

Fig. 6.4. Measured sag frequency.

When exposed to these 61 events, the process was interrupted 18 times. The distribution of these critical events is shown in Fig. 6.5.

| | | | | | | |
|-------------------|---------|--------------|-----------|------------|------------|-----------|
| Remaining voltage | < 100 % | | | | | |
| | < 90 % | | | | | |
| | < 80 % | | 1 | 3 | | 1 |
| | < 70 % | | | 2 | | 1 |
| | < 60 % | | 1 | | 1 | |
| | < 50 % | | 1 | | 1 | 2 |
| | < 40 % | | | | 1 | |
| | < 30 % | | | | | |
| | < 20 % | | 1 | | | |
| | < 10 % | | | 2 | | |
| I | | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s |
| | | Sag duration | | | | |

Fig. 6.5. Recorded plant shutdowns due to voltage sags.

The probabilistic process sag sensitivity is now generated. Dividing the number of shutdowns in each category by the total number of sags in that particular cate-

gory gives the probability of interruption and, further, the probabilistic process sensitivity.

$$P(i,j) = \frac{I(i,j)}{S(i,j)} \quad \forall \quad S(i,j) \neq 0 \quad (6.1)$$

The results of the calculation are presented in Fig. 6.6.

| | | | | | | |
|-------------------|---------|--------------|-----------|------------|------------|-----------|
| Remaining voltage | < 100 % | | 0,0 | 0,0 | | |
| | < 90 % | | 0,0 | 0,0 | 0,0 | 0,0 |
| | < 80 % | | 0,1 | 0,5 | 0,0 | 1,0 |
| | < 70 % | | 0,0 | 1,0 | | 1,0 |
| | < 60 % | | 1,0 | | 0,5 | |
| | < 50 % | | 1,0 | | 1,0 | 1,0 |
| | < 40 % | | | | 1,0 | |
| | < 30 % | | | | | |
| | < 20 % | | 1,0 | | | |
| | < 10 % | | | 1,0 | | |
| P | | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s |
| | | Sag duration | | | | |

Fig. 6.6. Probability of sag related interruptions as calculated according to Eq. 6.1.

Due to the relatively small sample there are some areas of discontinuity. Based on experience regarding the typical shapes of sensitivity curves, and the explanations given in the original text source, the array was somewhat modified to provide continuous and more realistic figures. The resulting P array is shown in Fig. 6.7.

| | | | | | | |
|-------------------|---------|--------------|-----------|------------|------------|-----------|
| Remaining voltage | < 100 % | 0,0 | 0,0 | 0,0 | 0,0 | 0,0 |
| | < 90 % | 0,0 | 0,0 | 0,0 | 0,0 | 0,0 |
| | < 80 % | 0,0 | 0,1 | 0,5 | 0,5 | 1,0 |
| | < 70 % | 0,0 | 0,1 | 1,0 | 1,0 | 1,0 |
| | < 60 % | 0,0 | 1,0 | 1,0 | 1,0 | 1,0 |
| | < 50 % | 0,0 | 1,0 | 1,0 | 1,0 | 1,0 |
| | < 40 % | 0,0 | 1,0 | 1,0 | 1,0 | 1,0 |
| | < 30 % | 0,0 | 1,0 | 1,0 | 1,0 | 1,0 |
| | < 20 % | 0,0 | 1,0 | 1,0 | 1,0 | 1,0 |
| | < 10 % | 0,0 | 1,0 | 1,0 | 1,0 | 1,0 |
| P | | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s |
| | | Sag duration | | | | |

Fig. 6.7. Probabilistic process sag sensitivity array.

Multiplying the arrays in Fig. 6.4 and 6.7 cell by cell gives the annual frequency of sag related interruptions to be expected. The resulting I array is shown in Fig. 6.8.

| | | | | | | |
|-------------------|--------------|-----------|------------|------------|-----------|-----|
| Remaining voltage | < 100 % | 0,0 | 0,0 | 0,0 | 0,0 | 0,0 |
| | < 90 % | 0,0 | 0,0 | 0,0 | 0,0 | 0,0 |
| | < 80 % | 0,0 | 0,9 | 3,0 | 5,5 | 1,0 |
| | < 70 % | 0,0 | 0,1 | 2,0 | 0,0 | 1,0 |
| | < 60 % | 0,0 | 1,0 | 0,0 | 2,0 | 0,0 |
| | < 50 % | 0,0 | 1,0 | 0,0 | 1,0 | 2,0 |
| | < 40 % | 0,0 | 0,0 | 0,0 | 1,0 | 0,0 |
| | < 30 % | 0,0 | 0,0 | 0,0 | 0,0 | 0,0 |
| | < 20 % | 0,0 | 1,0 | 0,0 | 0,0 | 0,0 |
| | < 10 % | 0,0 | 0,0 | 2,0 | 0,0 | 0,0 |
| I | 0-50 ms | 50-150 ms | 150-300 ms | 300-500 ms | 500 ms-1s | |
| | Sag duration | | | | | |

Fig. 6.8. Frequency of sag related interruptions.

Summing up all cell values of the array in Fig. 6.8 gives the total expected number of shutdowns $N = 24,5$. Compared to the measured total of 18 interruptions, this estimate is high but still realistic. Using the calculated sensitivity value of 0,0 for the P array cell [$< 80 \%$, 300-500 ms] would have given $N = 19$. However, there has to be some inaccuracy or error in the original data because such a sensitivity curve shape is not considered likely.

In the thesis, a hypothetical but presumably relevant event cost value has been used, i.e. 250 000 €. The cost was assumed to be equal, regardless of the sag magnitude and duration. This means a non-weighted cost array can be used. In practice, multiplying the single event cost by the total number of interruptions, N , gives the annual cost. Thus the total cost in a case where no mitigation is used would be 6 125 000 € per year.

Using a series connected power conditioner would provide some help. The benefit gained depends on the device rating, with the maximum injection and amount of stored energy being the main parameters. According to the reference, the total power required by the customer should be protected against sags as well, i.e. the conditioner should be rated at 20 MVA. Typically, only a small fraction of the total load is sensitive to sags and so a lower rating is allowed for the conditioner. Assuming that the whole plant actually needs to be protected, we can estimate the effect of the power conditioner rating. Annual sag cost figures are shown in Table 6.1.

Table 6.1. Annual sag cost obtained by using different mitigation device ratings (k€). Without mitigation the cost would be 6 125 k€.

| Injection | 150 ms | 300 ms | 500 ms | Infinite |
|-----------|--------|--------|--------|----------|
| 30 % | 5 900 | 5 150 | 3 775 | 3 525 |
| 50 % | 5 625 | 4 375 | 2 500 | 2 000 |
| 80 % | 5 375 | 4 125 | 1 750 | 750 |
| 100 % | 5 125 | 3 375 | 1 000 | 0 |

As can be clearly seen in Table 6.1, in this case increasing the injection time is much more effective than increasing the magnitude. Naturally, this depends on the original sag distribution and is not assumed to apply generally.

Let us take the example a step further. A mitigation device rated at 50 % injection for 500 ms would be both a realistic and feasible solution. Such equipment would reduce the annual cost from 6 125 to 2 500 k€, i.e. would save 3 625 k€. Assuming the budgetary price to be 200 €/kVA, a 20 MVA unit would thus cost 4 M€. In other words, the payback time would be less than 2 years in an ideal case. In practice, some expenses have to be calculated for eventual substation and switchgear re-arrangement, maintenance, losses, etc. Nevertheless, a power conditioner appears to be a well justified option. If we knew more about the process and the power system supplying it, we could also estimate the feasibility of a transfer switch by using the Prob-A-Sag method.

7 DISCUSSION

Having outlined and applied the Prob-A-Sag method to two test cases, it is time for evaluation, criticism and discussion with respect to future development needs.

The primary aim of the task was to develop a method that could combine and assess the effects, cost aspects and mitigation of voltage sags in a successful and flexible way. These objectives were listed in Chapter 5.2:

- *all quantities should be presented in a uniform format*
- *applicable to all environments from a single customer to a complete power distribution system*
- *flexible accuracy from a rough estimate to exact numbers*
- *must allow for probabilistic processing of data*
- *possibility to be implemented in power system software platforms*
- *includes tools for investigating custom power applications and other means of mitigation*

The format was chosen to be an array. All quantities were presented in this format. Sags were considered from the point of view of a single-phase device. This approach is also applicable to 3-phase equipment as long as the sags are substantially symmetrical. For the combination of highly unsymmetrical faults and 3-phase loads, a more sophisticated approach has to be developed for cases where accurate results are required.

One solution would be to utilize the 3-phase sag characterization method mentioned in Chapter 2.4. instead of using single phase sag magnitude and duration as the sag parameters. In such arrays there should be separate dimensions for sag type (including subtype), characteristic voltage phasor (amplitude and angle) as well as the positive-negative factor, which is also a phasor. This leads to a complicated yet presumably accurate and widely applicable calculation. However, it could by no means be considered illustrative or a simple-to-use method for the utility personnel. This is why the 3-phase approach was not used here, but is certainly worth considering in the future development of the method.

This is relevant especially in the case of adjustable speed drives. However, their sag sensitivity can roughly be expressed by using single-phase quantities or the average value of the rms phase-to-ground voltages during a sag. In addition, a supplying LV feeder is typically protected by a contactor that has to be analysed as a single-phase component. Beyond this exception, the method using single-phase sag distribution data is applicable to any size and type of power system.

Selecting the array resolution gives flexibility, although very small or large resolutions do not seem to be reasonable according to our experience. Too small arrays are not accurate enough. At the other extreme, the currently available initial data (sag distribution, device sensitivity, etc.) does not support very large scale arrays.

The fact that voltage sags are seldom rectangular in shape has also to be noted when assessing the method accuracy.

Two features related to the method flexibility and accuracy were purposely left for future research and development. In sag sensitivity tests, the equipment samples were quite small. Generating comprehensive libraries for all sensitive devices and device types involves too much work for a single research group or university. Future co-operation is needed for providing this information. Another task is to add more quantities to describe voltage sag properties (distortion, unbalance, phase angle jump, etc.) This would be made possible by increasing the array dimension from 2 to a higher number. Each new quantity would require adding a new dimension as well.

Using non-integer cell values in arrays enables a probabilistic approach to be applied. If some of the quantities are not sufficiently known, integer value arrays may be used together with the probabilistic ones. In complex processes the probabilistic connection between all sensitive devices is quite a task to carry out. This method does not consider the option of a partial process shutdown; only a binary trip/non-trip approach is applied. Dividing the complete process into sub-processes which only have two stages (on/off) is one solution that enables more accurate analysis. Introducing a weighted event cost array gives another viable approach to this issue. In the future this feature could be further developed within the Prob-A-Sag method as well.

In practice, the analysis can be done with pen and paper, with spreadsheet software or with any more sophisticated analysis application. In this thesis the spreadsheet has been used. Nevertheless, no quantities or operations that are not available or can not be implemented in modern power system analysis software were needed nor used. Some features, such as the annual sag distribution, could be directly computed by using the network component database. Due to the selected scope of the study this application was not tested. However, similar calculations have been successfully implemented and tested for other purposes. One could therefore assume they are also applicable to the Prob-A-Sag method.

Some examples of custom power equipment were given in Chapter 5 and of these, some were also included in the case studies. The effect of practically any power conditioner can be easily taken into account in the Prob-A-Sag method. The more accurate the results required, the more complicated the arrays and, especially, their mathematical expressions will become. It was not reasonable to include extremely detailed models of all available solutions and their variations and ratings. Nevertheless, the basic principles required for generating R arrays for different device types were provided. These are assumed to be accurate enough for assessing the type, rating and cost/benefit figures of such a vast investment.

8 CONCLUSION

This doctoral thesis considers voltage sags, their technical and economic impact as well as their mitigation. All these topics have been earlier introduced to academic society, along with various methods to analyse, assess and optimise the phenomena related to them.

However, the means to combine all of them in a mathematically exact yet practically applicable way has not been proposed. The research efforts on which this publication has been based eventually culminate in the outline of the array based Prob-A-Sag method. It is a tool that not only expresses all quantities mentioned above in terms of a “common language”, the arrays, but also enables probabilistic processing of the data. Freely scalable arrays enable freely adjustable resolution as well. Due to the exact and yet simple mathematical expression of the quantities, the Prob-A-Sag method can be easily implemented in practically any platform, from spreadsheet applications to the most up-to-date network management software. This method is considered to be the main contribution of the thesis.

In addition to the Prob-A-Sag method there are two more aspects worth mentioning in terms of their contribution to power systems engineering and voltage sag research. The work included tests for several device categories, aiming to study their sensitivity to voltage sags. This kind of information, i.e. device sensitivity libraries, is extremely important for future case studies. In cases where it is not possible to measure the sag response of a particular device or process, these general libraries may be used for estimating the sensitivity. The more data we have, the more comprehensive and relevant analysis results we can achieve.

As a third piece of novel scientific information, this publication provides discussion and calculations on the feasibility and network requirements of modern sag mitigation equipment, i.e. custom power technology.

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APPENDIX A - Detailed model of a series power conditioner

As pointed out in Ch. 5.7, a general mathematical model of a series connected power conditioner taking into account all of its features is extremely complicated, if at all possible. Simplified or manual approach is considered to be more reasonable in most cases and hence is preferred by the author.

The general approach - or, to be precise, one sketch of it - is introduced in this appendix. Depending on the design and control parameters, which are features particular to each device and brand, the operating characteristics may vary significantly. Thus instead of providing universally applicable equations, the intention of this section is to provide the seeds for brainwork and refinement of the model as required in each particular case.

First we have to add some features not discussed in Ch. 5.7. To avoid wasting energy, a device is typically set to disengage when the remaining voltage is above the plant ride-through level. Nominal voltage is not required for proper operation. Depending on the process type and sensitivity, this ride-through limit may be anything between 100 % and the withstand level of the most sensitive piece of load equipment that is capable of tripping the process. Typical values range from 80 to 90 % of nominal. In Fig. A.1 the ride-through level, which is also the upper operating level of the conditioner, is named U_{inj}^+ . The maximum injection is ΔU_{inj} .

Another extension to the model is the area below U_{crit} for sags shorter than t_{crit} . Down to U_{inj} the device is capable of generating the full voltage injection ΔU_{inj} . This does not provide a load voltage above the ride-through level and has thus been ignored in Ch. 5.7. However, if, for accuracy or any other reason, we want to calculate the absolutely correct restored sag frequency array R, this feature has to be considered as well. Below U_{inj} the conditioner is disengaged as a protective measure.

Figure A.1 illustrates the notation used below. It also identifies the seven U/t categories for different mitigation results. In the blank categories the device is not active. The shaded area indicates successful mitigation whereas in category 3 the plant is most probably lost despite the full voltage injection. In terms of Fig. A.1, the main properties of these categories are:

1. conditioner not active
2. full injection, sags restored to ride-through level
3. full injection, sags restored ΔU_{inj} higher in magnitude
4. conditioner not active
5. partial injection, sags restored to ride-through level
6. sags shortened by t_{crit} due to injection in categories 2 and 5
7. sags shortened by t_{crit} due to injection in category 3

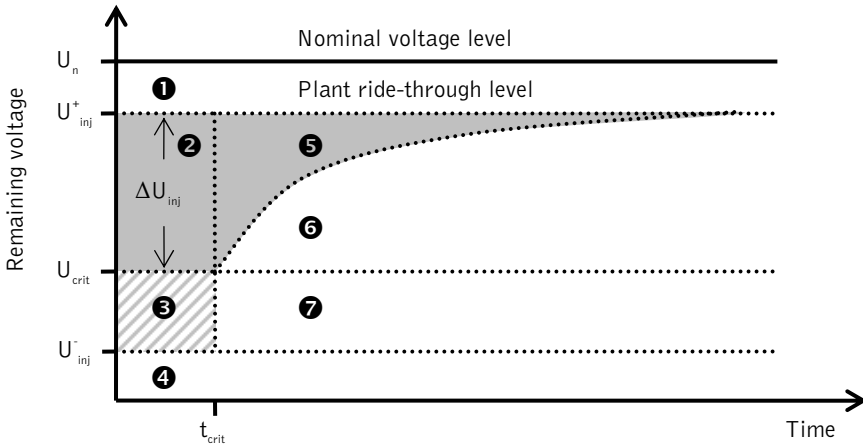


Fig. A.1. Notation and identification of different mitigation categories.

If we consider Fig. A.1 as the original sag frequency S , what would the restored sag frequency R look like? Fig. A.2 shows the transition of each of the seven categories.

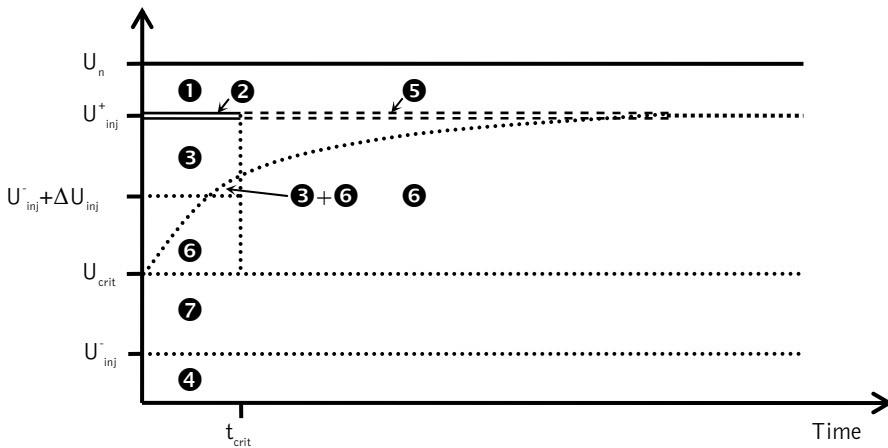


Fig. A.2. Origin of R array cell values in terms of the S array categories in Fig. A.1. Numbers indicate which S array category the data is from.

According to Fig. A.2, we have eleven different categories in R for which the transition equations have to be determined. Fig. A.3 defines the categories.

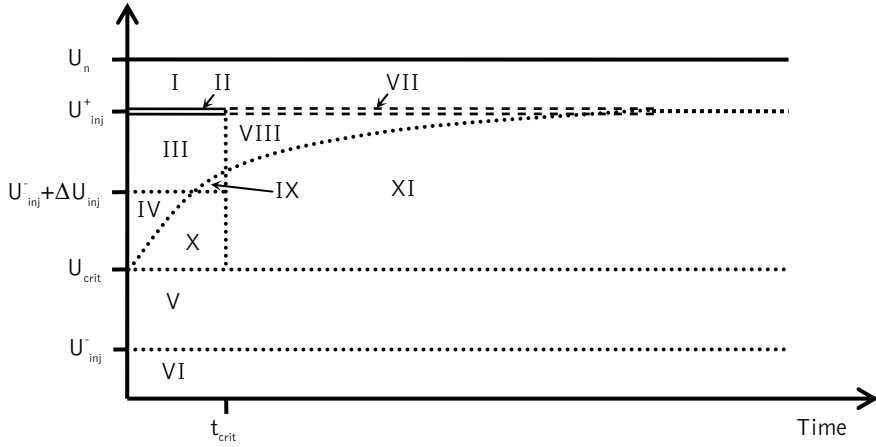


Fig. A.3. Different categories of R array.

The R array cell values can now be mathematically expressed as a function of the S array cell values and the mitigation device properties. In terms of Fig. A.3, the following equations apply to each particular category, respectively:

I

$$\forall i, j \ni \begin{cases} U_i^- > U_{inj}^+ \\ U_i^+ \leq U_n \end{cases}$$

$$R(i, j) = S(i, j)$$

III

$$\forall i, j \ni \begin{cases} U_i^- \leq U_{inj}^+ \\ U_i^+ > U_{inj}^+ \\ t_j^+ \leq t_{crit} \end{cases}$$

$$R(i, j) = \sum_{n=k}^l S(n, j) \ni \begin{cases} U_k^+ \leq U_{inj}^+ \\ U_l^- \geq U_{crit} \end{cases}$$

III

$$\forall i, j \ni \begin{cases} U_i^- \geq \max \begin{cases} U_{inj}^- + \Delta U_{inj} \\ U_{inj}^+ - \Delta U_{inj} \cdot \frac{t_{crit}}{(t_j^+ + t_{crit})} \end{cases} \\ U_i^+ < U_{inj}^+ \\ t_j^+ \leq t_{crit} \end{cases}$$

$$R(i, j) = S(m+i, j) \ni \begin{cases} m \in Z \\ U_i^- \leq U_{m+i}^- + \Delta U_{inj} < U_i^+ \end{cases}$$

IV

$$\forall i, j \ni \begin{cases} U_i^- \geq U_{inj}^+ - \Delta U_{inj} \cdot \frac{t_{crit}}{(t_j^+ + t_{crit})} \\ U_i^+ < U_{inj}^- + \Delta U_{inj} \\ t_j^+ \leq t_{crit} \end{cases}$$

$$R(i, j) = 0$$

V

$$\forall i, j \ni \begin{cases} U_i^- \geq U_{inj}^- \\ U_i^+ < U_{crit} \end{cases}$$

$$R(i, j) = S(i, n+j) \ni \begin{cases} n \in Z \\ t_j^- \leq t_{n+j}^+ - t_{crit} \leq t_j^+ \end{cases}$$

VI

$$\forall i, j \ni U_i^+ < U_{inj}^-$$

$$R(i, j) = S(i, j)$$

VII

$$\forall i, j \ni \begin{cases} U_i^- \leq U_{inj}^+ \\ U_i^+ > U_{inj}^+ \\ t_j^- > t_{crit} \\ t_j^+ \leq t_{crit} \cdot \frac{\Delta U_{inj}}{(U_{inj}^+ - U_i^-)} - t_{crit} \end{cases}$$

$$R(i, j) = \sum_{n=k}^l S(n, j) \ni \begin{cases} U_k^+ \leq U_{inj}^+ \\ U_i^- \geq U_{inj}^+ - \Delta U_{inj} \cdot \frac{t_{crit}}{t_j^+} \end{cases}$$

VIII

$$\forall i, j \ni \begin{cases} U_i^- \geq U_{inj}^+ - \Delta U_{inj} \cdot \frac{t_{crit}}{(t_j^+ + t_{crit})} \\ U_i^+ < U_{inj}^+ \\ t_j^- > t_{crit} \end{cases}$$

$$R(i, j) = 0$$

IX

$$\forall i, j \ni \begin{cases} U_i^- \geq U_{inj}^- + \Delta U_{inj} \\ U_i^+ < U_{inj}^+ - \Delta U_{inj} \cdot \frac{t_{crit}}{(t_j^+ + t_{crit})} \\ t_j^+ \leq t_{crit} \end{cases}$$

$$R(i, j) = S(m+i, j) + S(i, n+j) \ni \begin{cases} n, m \in Z \\ U_i^- \leq U_{m+i}^- + \Delta U_{inj} < U_i^+ \\ t_j^- \leq t_{n+j}^+ - t_{crit} \leq t_j^+ \end{cases}$$

X

$$\forall i, j \ni \begin{cases} U_i^- \geq U_{\text{crit}} \\ U_i^+ < \min \begin{cases} U_{\text{inj}}^- + \Delta U_{\text{inj}} \\ U_{\text{inj}}^+ - \Delta U_{\text{inj}} \cdot \frac{t_{\text{crit}}}{(t_j^+ + t_{\text{crit}})} \end{cases} \\ t_j^+ \leq t_{\text{crit}} \end{cases}$$

$$R(i, j) = S(i, n+j) \ni \begin{cases} n \in Z \\ t_j^- \leq t_{n+j}^+ - t_{\text{crit}} \leq t_j^+ \end{cases}$$

XI

$$\forall i, j \ni \begin{cases} U_i^- \geq U_{\text{crit}} \\ U_i^+ < U_{\text{inj}}^+ - \Delta U_{\text{inj}} \cdot \frac{t_{\text{crit}}}{(t_j^+ + t_{\text{crit}})} \\ t_j^- > t_{\text{crit}} \end{cases}$$

$$R(i, j) = S(i, n+j) \ni \begin{cases} n \in Z \\ t_j^- \leq t_{n+j}^+ - t_{\text{crit}} \leq t_j^+ \end{cases}$$

Here U_i^+ and U_i^- refer to the upper and lower limit of voltage category i , and t_j^+ and t_j^- to the upper and lower limit of time category j , respectively. Integer k indicates the uppermost (shallowest) sag category in the considered region and l the lowermost (deepest), respectively.

As can be seen, the model becomes extremely complicated and, even so, it is difficult to tell how comprehensive it actually is and whether all possible features and parameters are included. Hence, this mathematical gloating is more of academic interest than practical relevance and should, in the author's opinion, remain so!

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