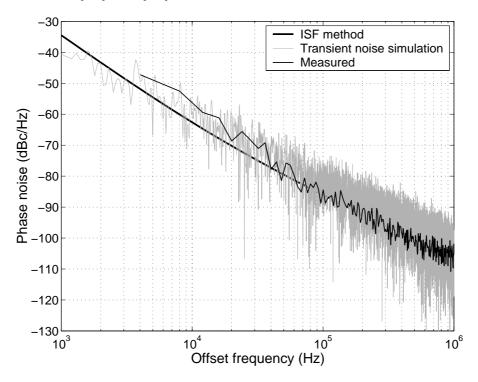
Errata

Equations (7) in [P1] and (6) in [P9] are incorrect. The right way to determine the phase noise spectrum resulting from a flicker noise source is to utilize one of the two following expressions:

$$\mathcal{L}\left(\Delta\omega\right) = 10\log_{10}\left(\frac{\Gamma_{dc}^2}{q_{max}^2}\frac{\overline{i_n^2}/\Delta f}{8\pi^2\Delta f^2}\frac{f_{1/f}}{\Delta f}\right) = 10\log_{10}\left(\frac{\phi_{dc}^2}{\Delta q^2}\frac{\overline{i_n^2}/\Delta f}{8\pi^2\Delta f^2}\frac{f_{1/f}}{\Delta f}\right),$$

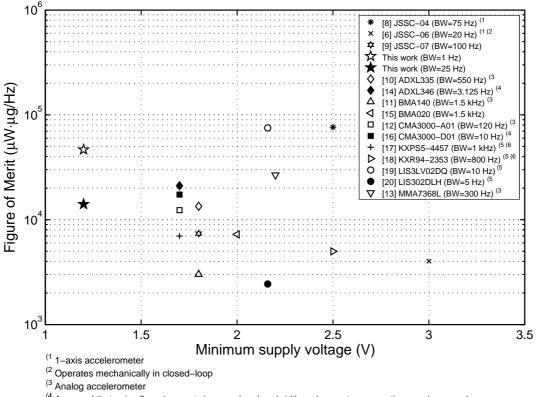
which are consistent with (5.20) and with the footnote text on the same page. The phase noise spectra of the 2.0-MHz frequency reference, originally presented in Figs. 6 and 11 in [P1] and [P9], respectively, are redrawn below.



In [P5], Fig. 32.2.3 implies that the output voltage of the $\Delta\Sigma$ -type sensor front-end is directly proportional to V_{REF} , i.e.,

$$V_{OUT} = \frac{C_P - C_N}{C_P + C_N} V_{REF},$$

which is in conflict with the equations presented in [P8], as well as with that given in (3.9). The equation shown above is valid only when $V_{REF} = V_{DD}/2$. Moreover, in order to shift the output range to extend from zero to V_{DD} , an additional sum term equal to $V_{DD}/2$ should be added. Because this front-end performs the direct C/D conversion, it is practical to define the output as a bit average \overline{B} , as has been done in [P8] and (3.9). In [P8], Fig. 15 includes three products, namely ADXL346, CMA3000-D01, and LIS3LV02DQ, the FOMs of which were calculated erroneously as a result of misinterpretation of the datasheets. Redefined FOM results are shown below. Furthermore, the signal bandwidths used in the calculations are included in the legend of each accelerometer.



⁽⁴ Assumed that noise floor does not change when bandwidth and current consumption are decreased

⁽⁵ Mechanical noise floor used in (19)

⁽⁶ Mechanical bandwidth used in (19)